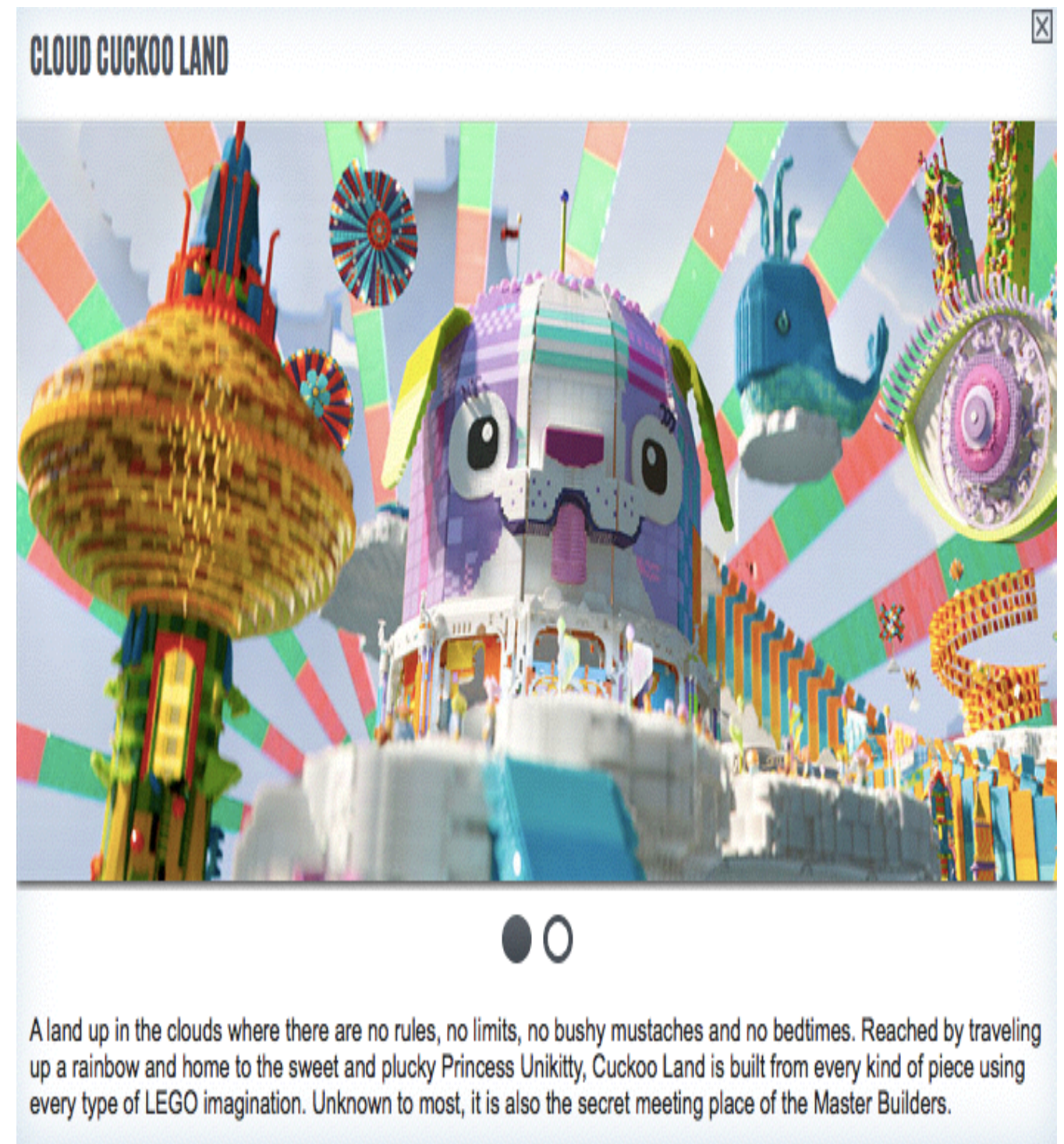


Principles of Economics
Distorting and Undistorting
Competitive Markets
The Planner's Perspective

J. Bradford DeLong
U.C. Berkeley

Cloud-Cuckoo Land Is Saved!

- **Yes!:**
 - **E. Impose a tax to force brick producers (and master builders!) to take account of the damage they inflict on Cloud-Cuckoo Land, and then use the revenue for pollution remediation (or some other benefit to CCL**
- A.C. Pigou, *The Economics of Welfare*

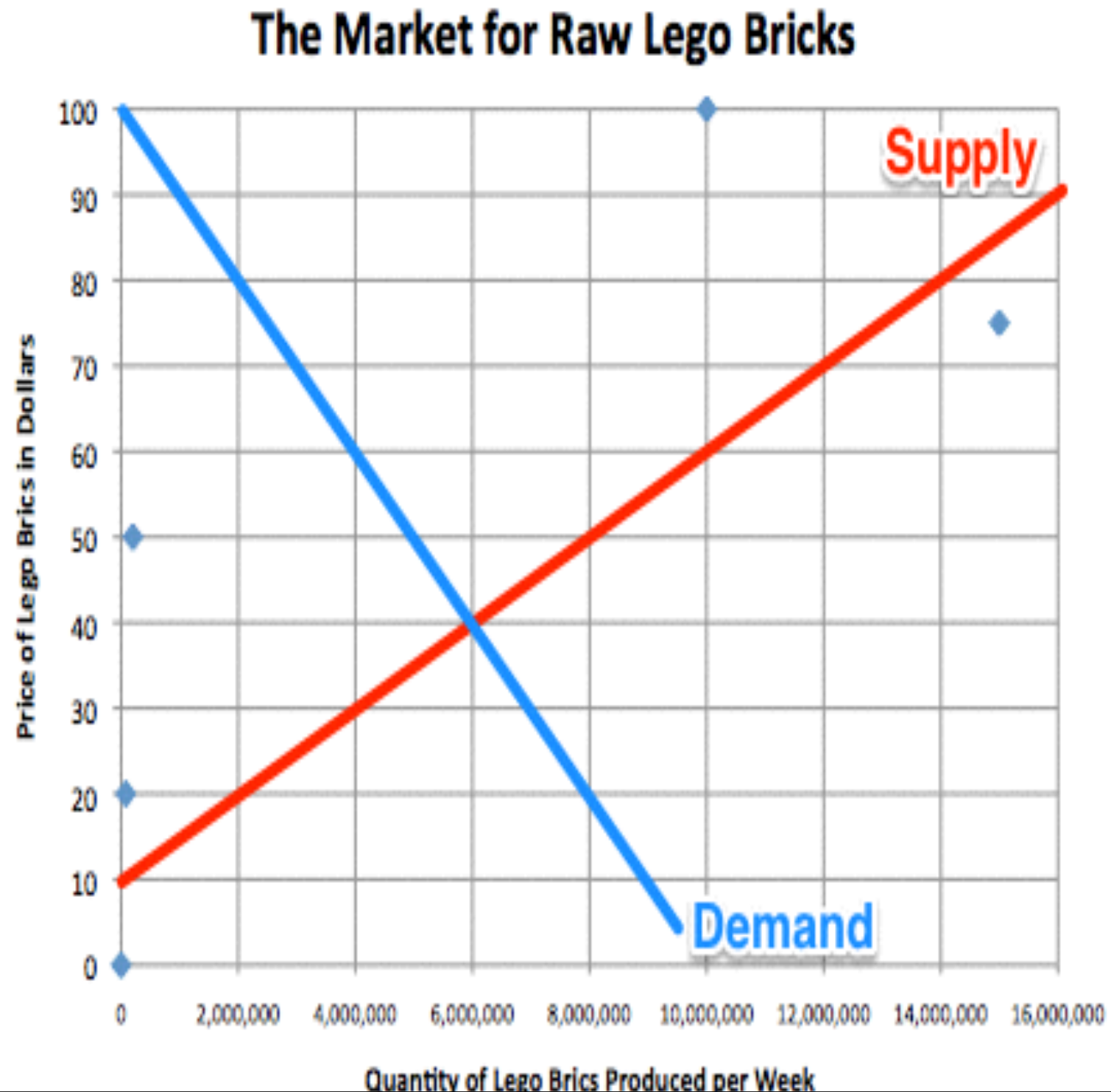


What Should the Tax Be?

- How would you go about calculating what the proper value of the Pigouvian tax for the right to pollute would be?
- A thought experiment:
 - Suppose we had a competitive market for the right to pollute (or for the right to be free from pollution)...
 - What would the market equilibrium price be for the right to pollute?

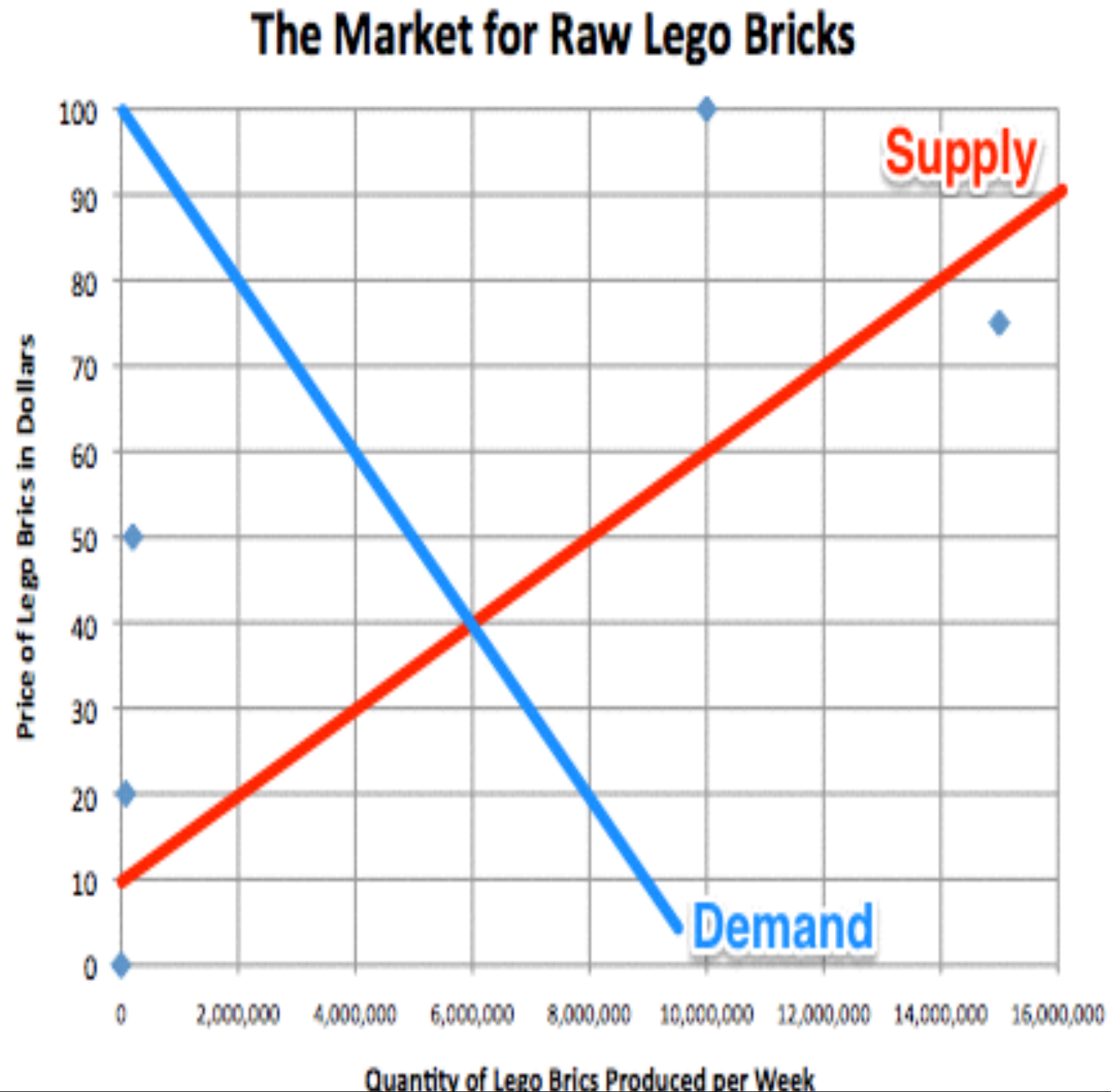
Our Market for Brics

- Supply:
 $P_s = 10 + 0.000005Q$
- Demand:
 $P_d = 100 - 0.00001Q$
- Externality: ????



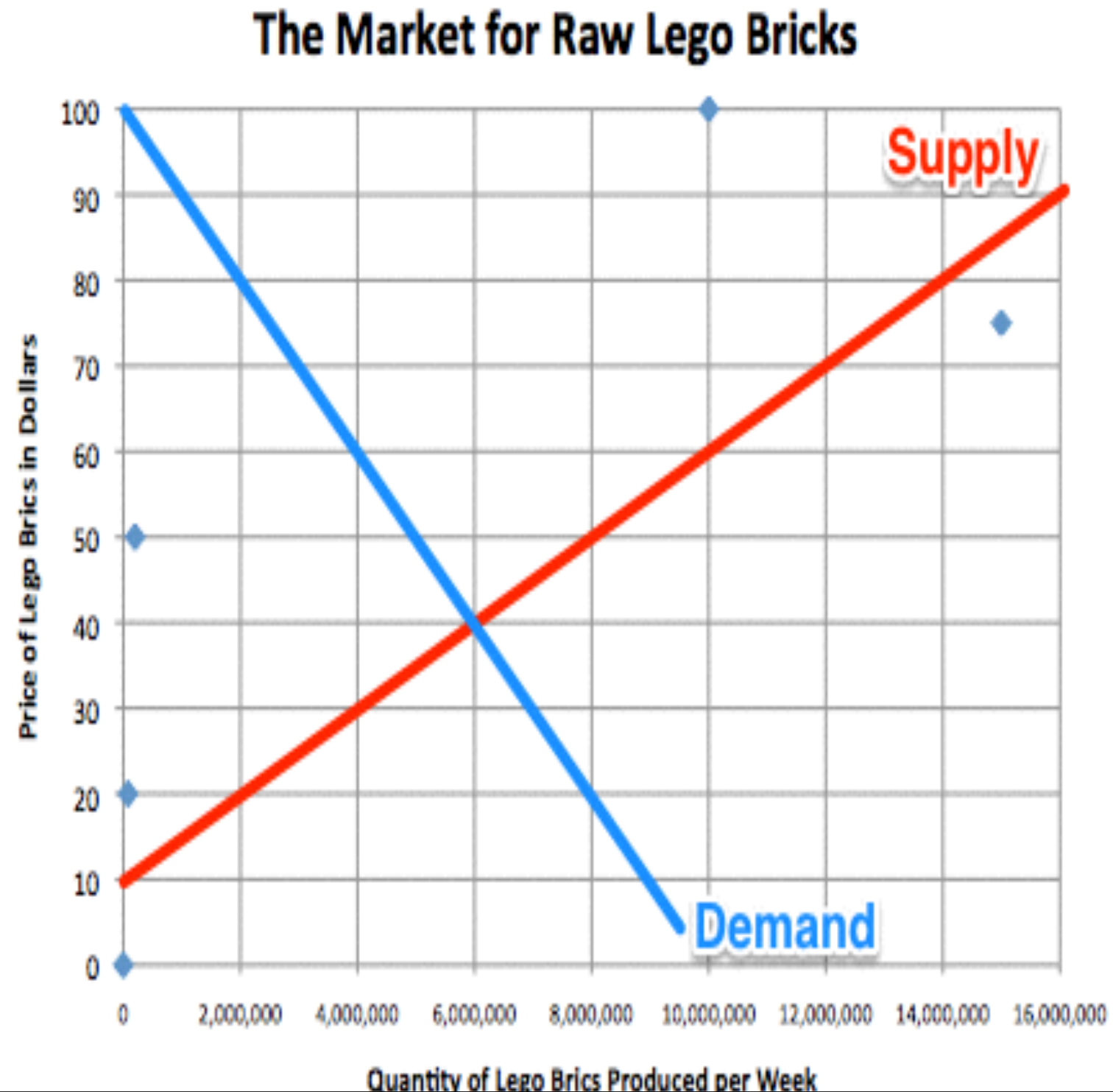
Our Market for Brics II

- Supply:
 - $P_s = 10 + 0.000005Q$
- Demand:
 - $P_d = 100 - 0.00001Q$
- Externality:
 - $Q=0 \quad XC=0$
 - $XC = -30Q$



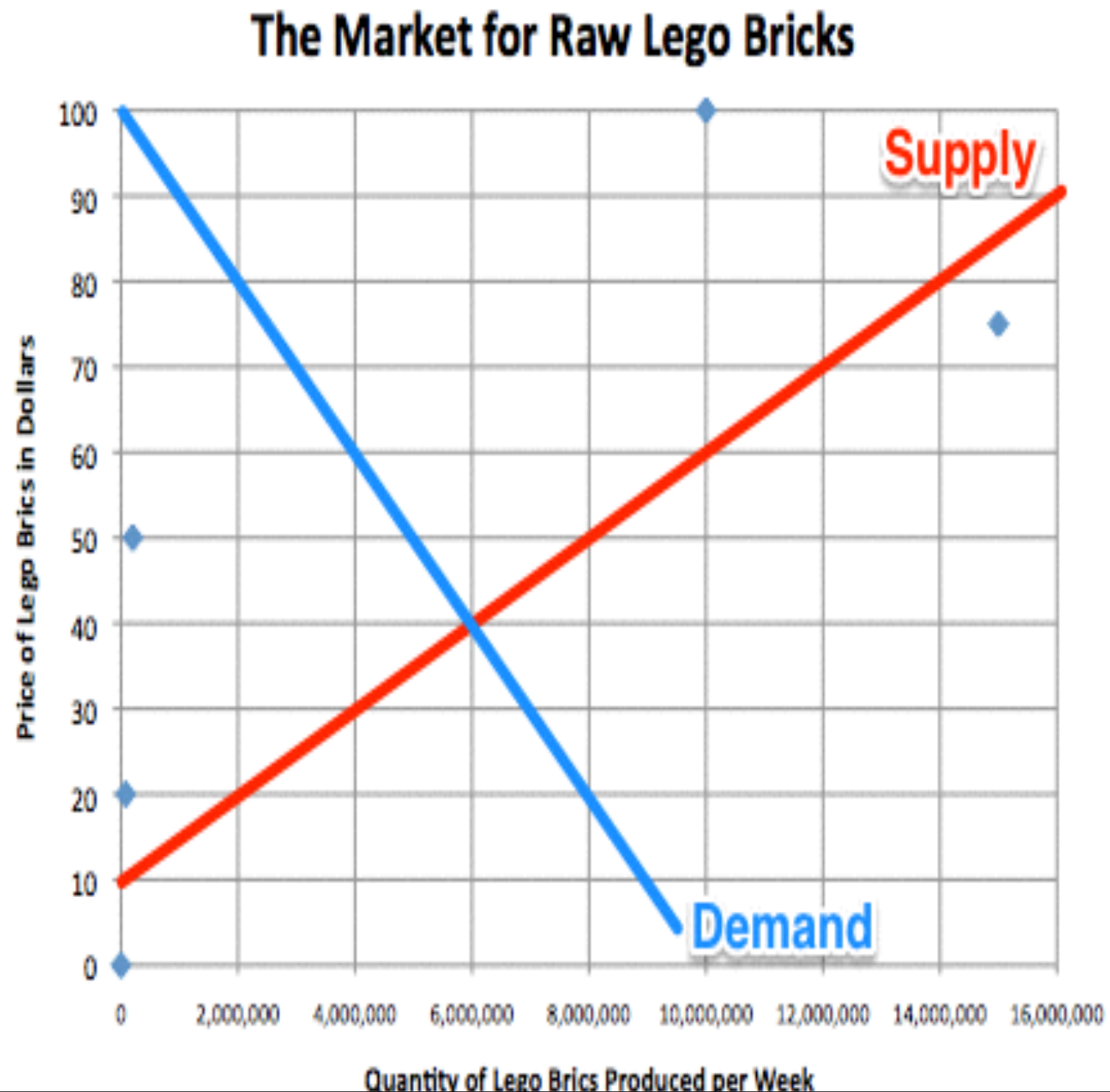
Our ~~Market~~ Omniscient, Benevolent Central Planner for Brics

- Demand:
 - $P_d = 100 - 0.00001Q$
- Total Value:
 - $TV = Q \times (100 - P_d)$



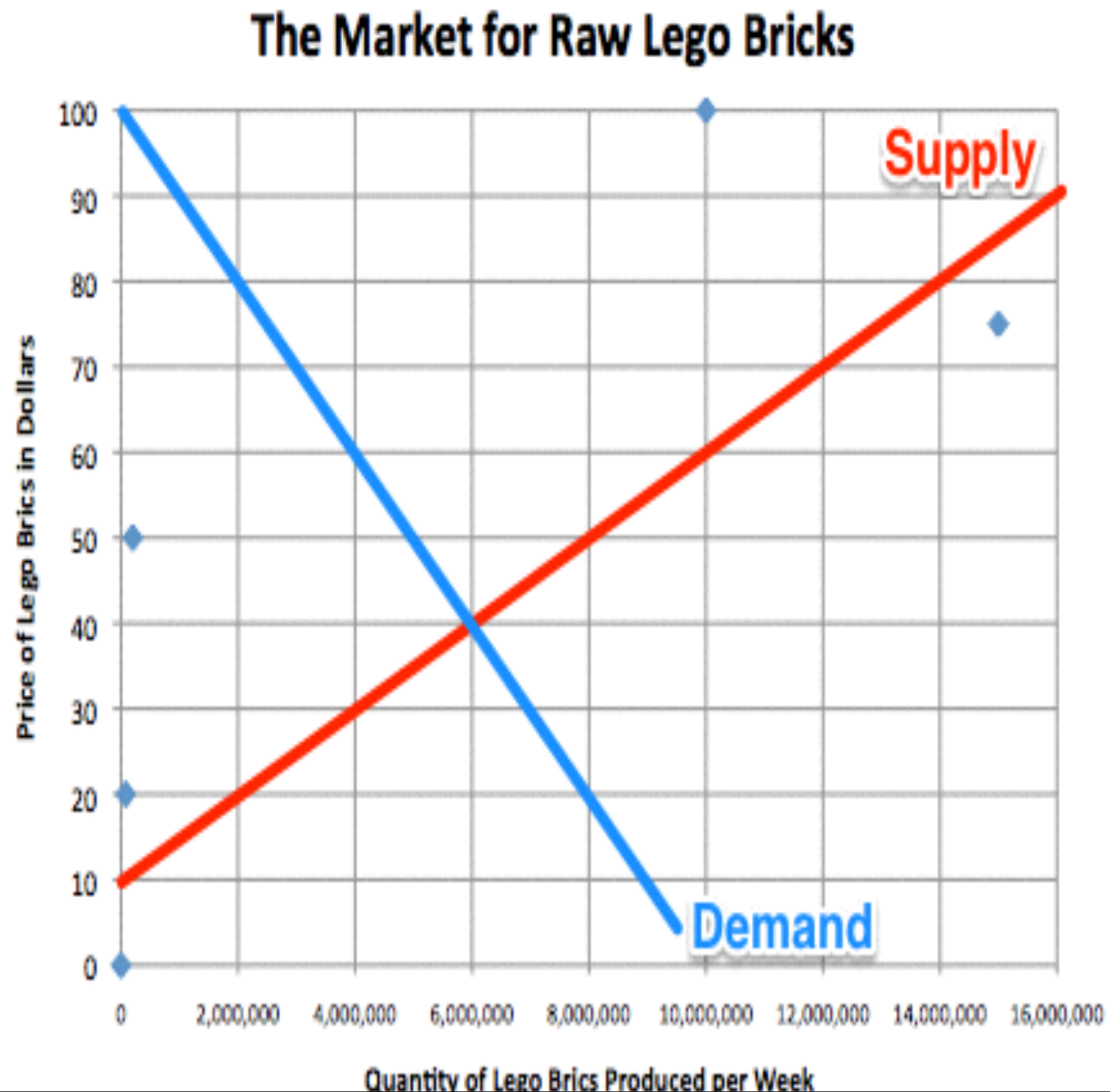
Our ~~Market~~ Omniscient, Benevolent Central Planner for Brics II

- Demand:
 - $P_d = 100 - 0.00001Q$
- Total Value:
 - $TV = Q \times (100 - P_d)$
- Supply:
 - $P_s = 10 + 0.000005Q$
- Total Cost:
 - $TC = Q \times (10 + P_s)$



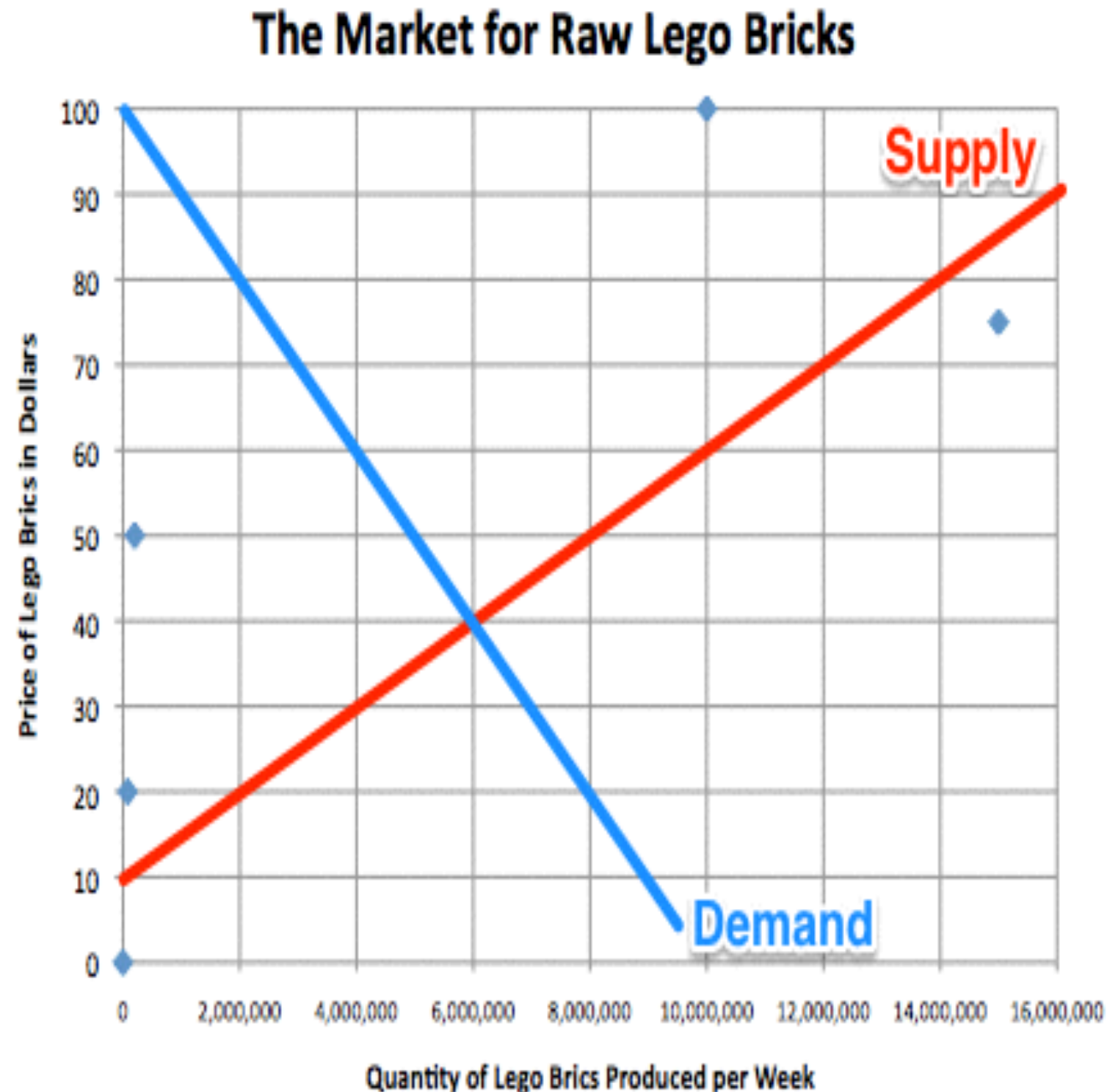
Our ~~Market~~ Omniscient, Benevolent Central Planner for Brics III

- Demand:
 - $P_d = 100 - 0.00001Q$
- Total Value:
 - $TV = Q \times (100 + P_d) / 2$
- Supply:
 - $P_s = 10 + 0.000005Q$
- Total Cost:
 - $TC = Q \times (10 + P_s) / 2$
- Total Surplus:
 - $TS = TV - TC$



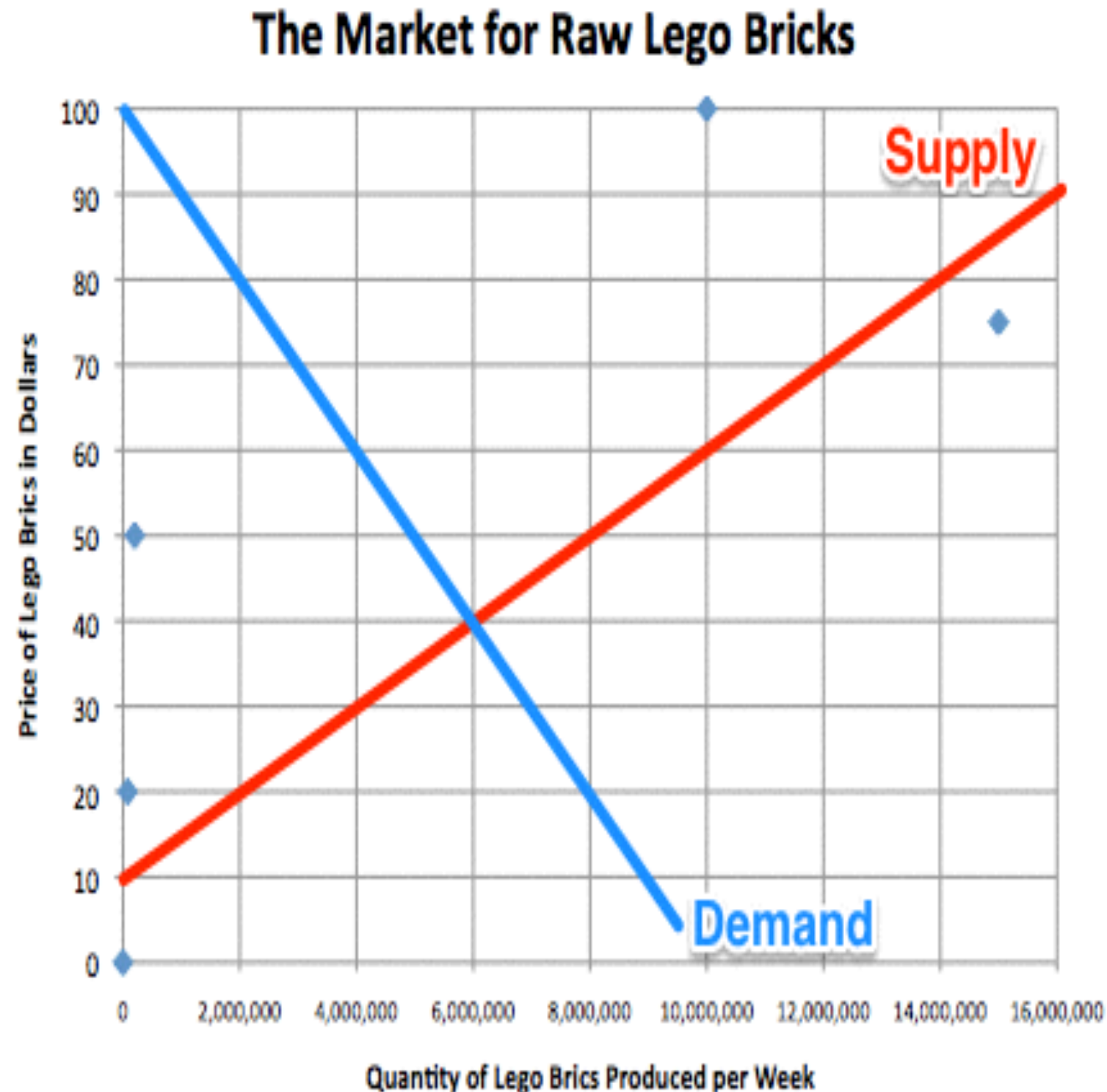
Our ~~Market~~ Omniscient, Benevolent Central Planner for Brics IV

- Demand:
 - $P_d = 100 - 0.00001Q$
- Total Value:
 - $TV = Q \times (100 + P_d) / 2$
- Supply:
 - $P_s = 10 + 0.000005Q$
- Total Cost:
 - $TC = Q \times (10 + P_s) / 2$
- Total Surplus:
 - $TS = TV - TC$
 - $TS = Q(45 + (P_d - P_s) / 2)$



Our ~~Market~~ Omniscient, Benevolent Central Planner for Brics V

- Total Surplus:
 - $TS = Q(45 + (P_d - P_s)/2)$
 - $TS = Q \times (45 + (100 - 0.00001Q - (10 + 0.000005Q))/2)$
 - $TS = Q \times (90 - 0.0000075Q)$
 - $TS = 90Q - 0.0000075Q^2$
- We want to maximize tr



Ladies, Gentlemen, and Benevolent, Omniscient Central Planners, to Your i>Clickers!

- How do you pick a Q to maximize: $TS = 90Q - 0.0000075Q^2$?
 - A. Take an integral!
 - B. Take a derivative!
 - C. Pick two values close together, see which one is higher, and then head off in that direction with another value of Q and repeat the process
 - D. Set up an Excel/Numbers spreadsheet with all possible quantity values
 - E. Do something else

Ladies, Gentlemen, and Benevolent, Omniscient Central Planners, to Your i>Clickers!: Answer

- How do you pick a Q to maximize: $TS = 90Q - 0.0000075Q^2$?
 - ~~A. Take an integral!~~
 - B. Take a derivative!
 - C. Pick two values close together, see which one is higher, and then head off in that direction with another value of Q and repeat the process
 - D. Set up an Excel/Numbers spreadsheet with all possible quantity values
 - E. Do something else
- **I'm not sure what (E) entails, but (B), (C), and (D) will all work...**
- **But the most insight can be gained via (B)...**

Our ~~Market~~ Omniscient, Benevolent Central Planner for Brics VI

- Total Surplus:
 - $TS = 90Q - 0.0000075Q^2$
- Derivative:
 - $d/dQ(TS) = d/dQ(90Q) + d/dQ(- 0.0000075Q^2)$
 - $d/dQ(TS) = 90 - 0.000015Q$
 - $d/dQ(TS) = 0 \rightarrow Q = 90/0.000015$

Our ~~Market~~ Omniscient, Benevolent Central Planner for Brics VII

- Total Surplus is maximized when:
 - $d/dQ(TS) = 0 \rightarrow Q = 90/0.000015$
- If I had not substituted in the numbers for the demand and supply curves—if I had kept them as:
 - Demand: $P_d = 100 - 0.00001Q$; $P_d = P_{d0} - b \times Q$
 - Supply: $P_s = 10 + 0.000005Q$; $P_s = P_{s0} + a \times Q$
- What would my equation $Q = 90/0.000015$ look like?

Our ~~Market~~ Omniscient, Benevolent Central Planner for Brics VIII

- Total Surplus is maximized when:
 - $d/dQ(TS) = 0 \rightarrow Q = 90/0.000015$
- If I had not substituted in the numbers for the demand and supply curves—if I had kept them as:
 - Demand: $P_d = 100 - 0.00001Q$; $P_d = P_{d0} - b \times Q$
 - Supply: $P_s = 10 + 0.000005Q$; $P_s = P_{s0} + a \times Q$
- What would my equation $Q = 90/0.000015$ look like?
- It would be: **$Q = (P_{d0} - P_{s0})/(a + b)$**
 - Where have we seen that equation before?

Our Market Is a Omniscient, Benevolent Central Planner for Brics

- Total Surplus is maximized when:
 - $d/dQ(TS) = 0$
 - $Q = 90/0.000015$
 - $Q = (P_{d0} - P_{s0})/(a + b)$
 - $Q = 6,000,000$
- **The competitive market in equilibrium carries out exactly the calculation that a benevolent, omniscient central planner would carry out**
 - **And the CMiE does not then have to boss people around to get them to carry out its plan**

Back to Our Pollution Problem

- Now we have three things happening in this marketplace:
 - Value to consumers:
 - $TV = Q \times (P_{d0} + P_d)/2$
 - Cost to producers:
 - $TC = Q \times (P_{s0} + P_s)/2$
 - Externality cost to Cloud-Cuckoo Landers:
 - $XC = -(P_x)Q$
 - $P_x = 30$

