

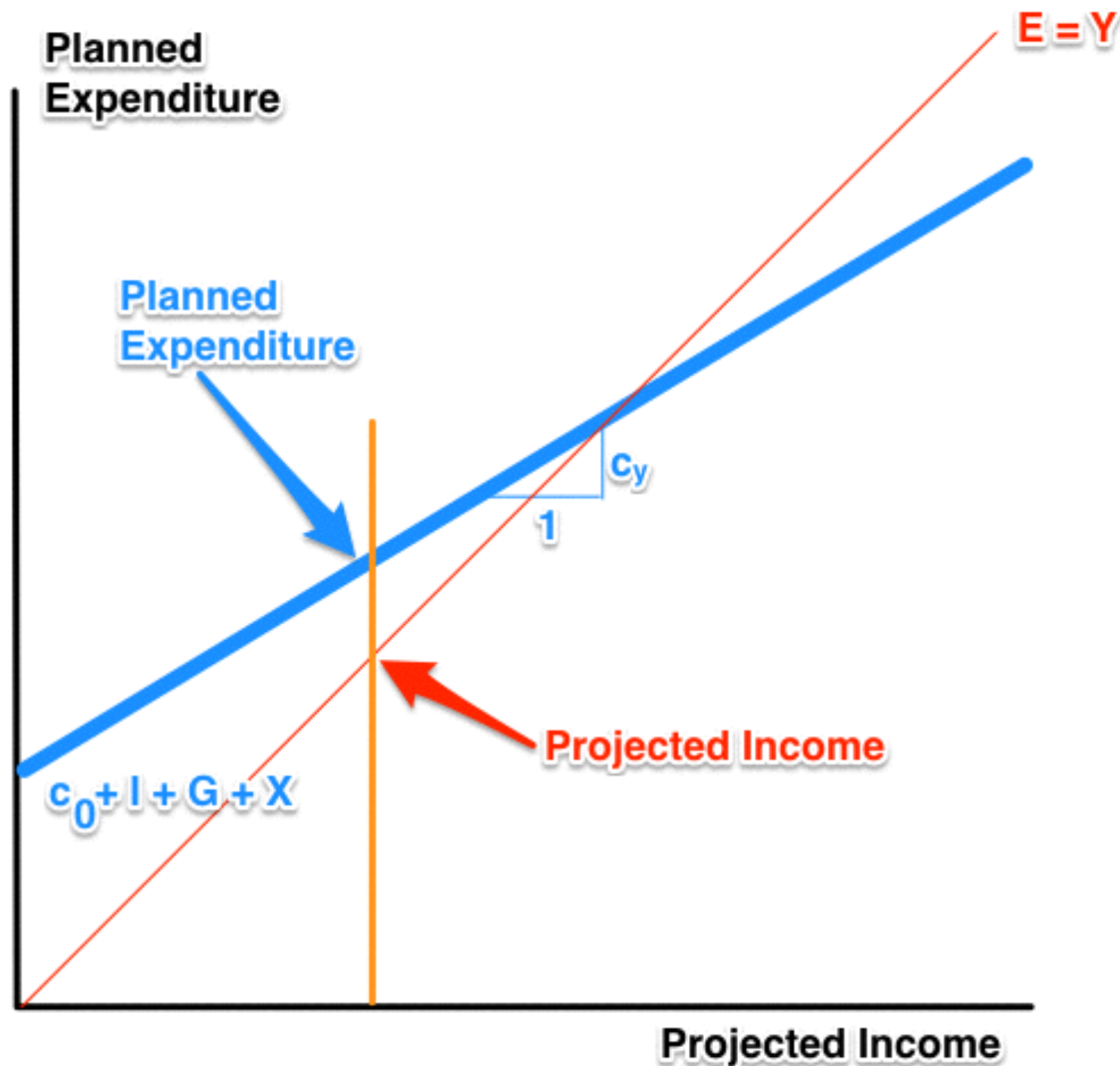
Principles of Economics  
Macroeconomics

# **Summing Up the Income- Expenditure Framework II**

J. Bradford DeLong  
U.C. Berkeley

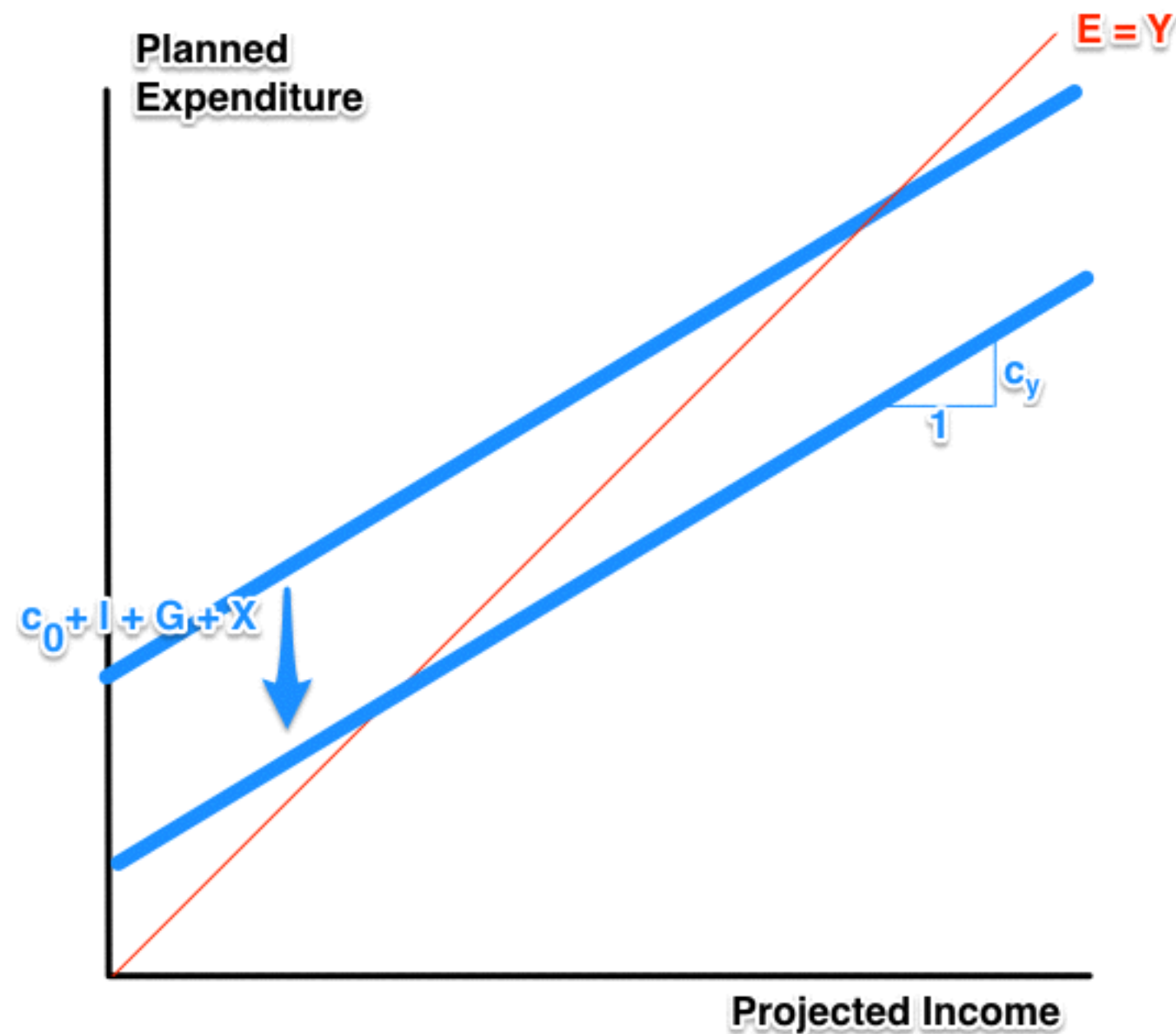
# When Planned Expenditure Falls Below Projected Income

- People are planning to spend less than they earn...
- Inventories are unexpectedly growing...
- Employers find sales unexpectedly low—so their incomes are down



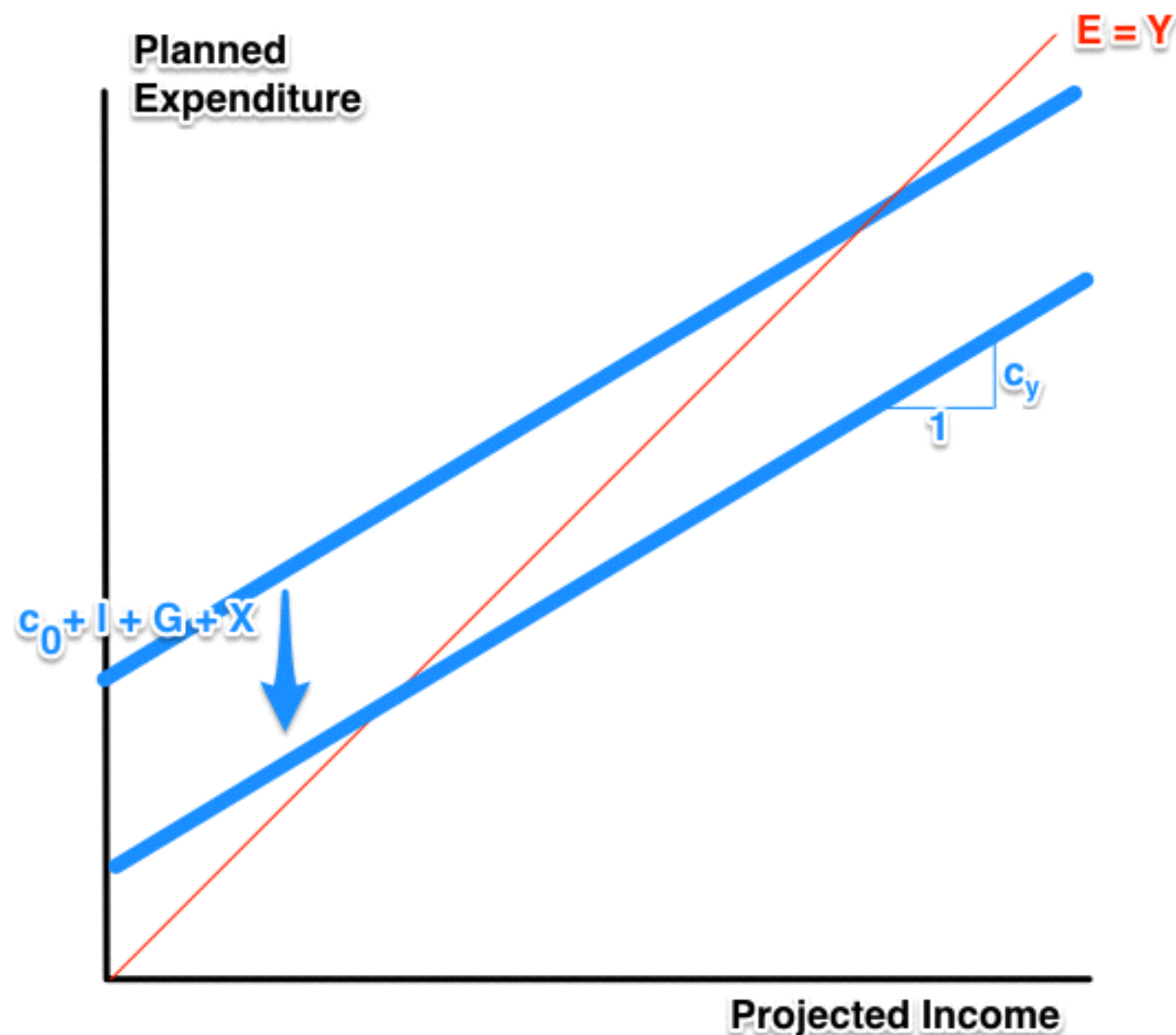
# Gentlebeings, to Your iClickers...

- Suppose we have:
  - $E = C + I + G + X$
  - $C = c_0 + c_y(Y - T)$
  - $c_y = 0.5$
  - $c_0$  falls by  $\$1T$  while  $I, G, X, T$  remain unchanged
- What happens to the equilibrium level of  $Y$  at which  $Y = E$  (substitute any numbers in for  $I, G, X, T$ , and initial  $c_0$ . It doesn't matter)?
  - A. It falls by  $\$2T$ . B. It falls by  $\$1T$ . C. It falls by  $0.5T$ . D. You cannot tell from the information given. E. None of the above



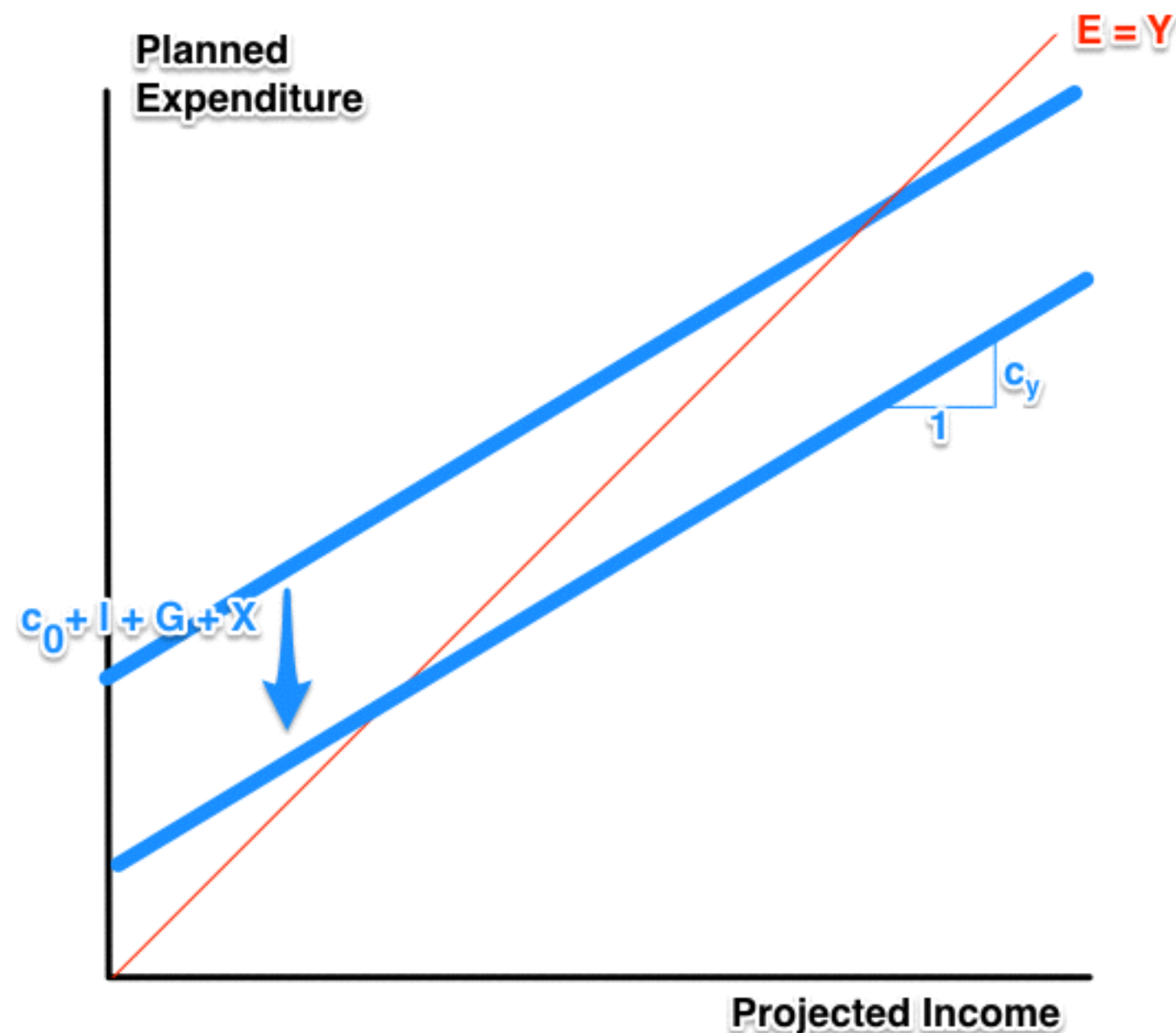
# Gentlebeings, to Your iClickers...: Answer

- Suppose we have:  $E = C + I + G + X$ ;  $C = c_0 + c_y(Y - T)$ ;  $c_y = 0.5$ ;  $c_0$  falls by  $\$1T$  while  $I, G, X, T$  remain unchanged
- What happens to the equilibrium level of  $Y$  at which  $Y = E$  (substitute any numbers in for  $I, G, X, T$ , and initial  $c_0$ . It doesn't matter)? A. It falls by  $\$2T$ . B. It falls by  $\$1T$ . C. It falls by  $\$0.5T$ . D. You cannot tell from the information given. E. None of the above
- **The answer I am looking for is A: falls by  $\$2T$**



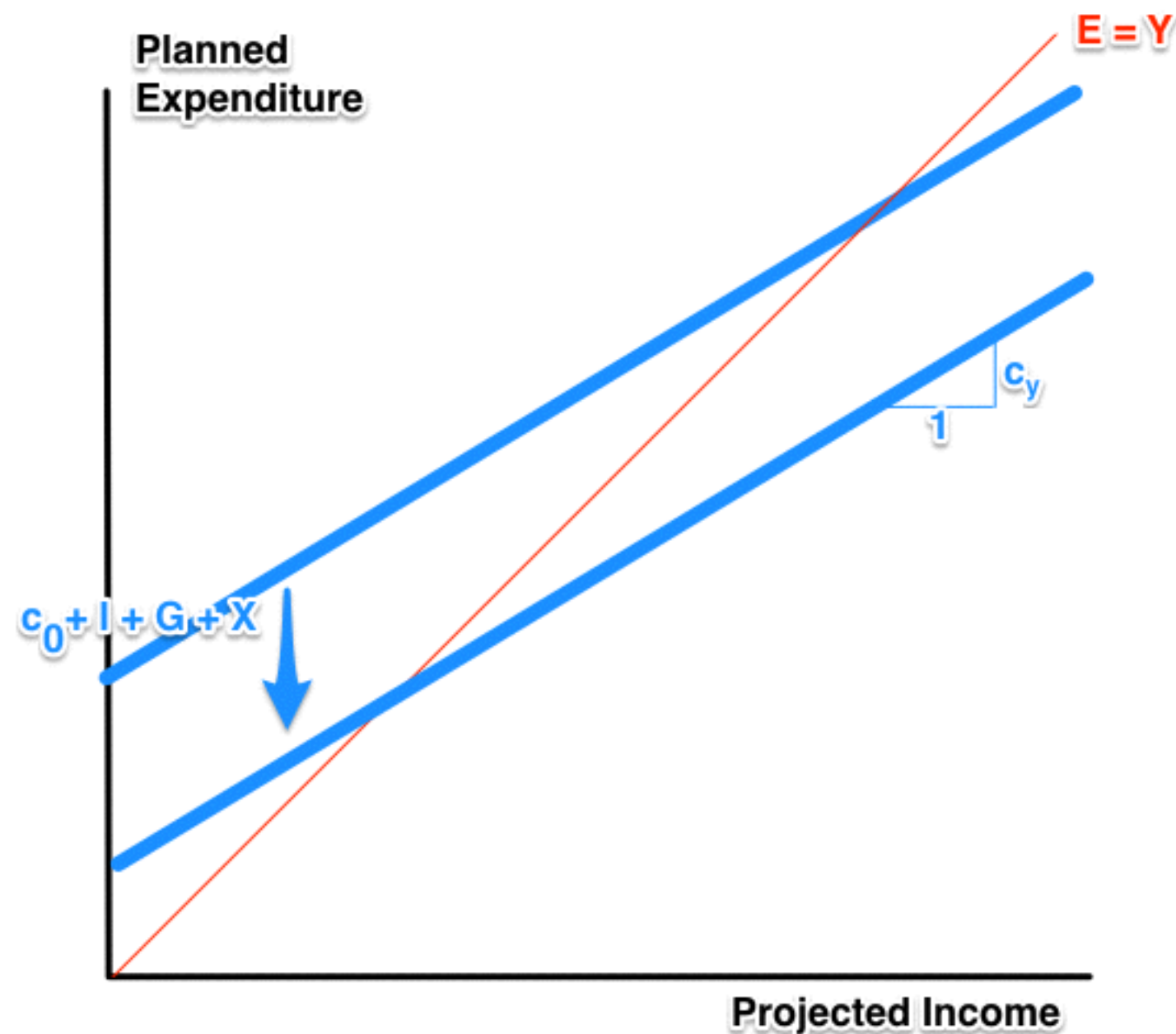
# Gentlebeings, to Your iClickers...: Answer II

- Suppose we have:  $E = C + I + G + X$ ;  $C = c_0 + c_y(Y - T)$ ;  $c_y = 0.0$ ;  $c_0$  falls by  $\$1T$  while  $I, G, X, T$  remain unchanged
- What happens to the equilibrium level of  $Y$  at which  $Y = E$  (substitute any numbers in for  $I, G, X, T$ , and initial  $c_0$ . It doesn't matter)? A. It falls by  $\$2T$ . B. It falls by  $\$1T$ . C. It falls by  $\$0.5T$ . D. It falls by  $\$1.5T$ . E. None of the above
- **The answer I am looking for is B: falls by  $\$2T$**
- **The fall in  $c_0$  opens up a  $\$1T$  gap between planned expenditure and projected income.**
- **Each  $\$1T$  reduction in income reduces income by  $\$1T$ , and reduces planned expenditure by  $\$0.5T$**
- **So each  $\$1T$  reduction in income reduces desired money hoarding by  $\$0.5T$**



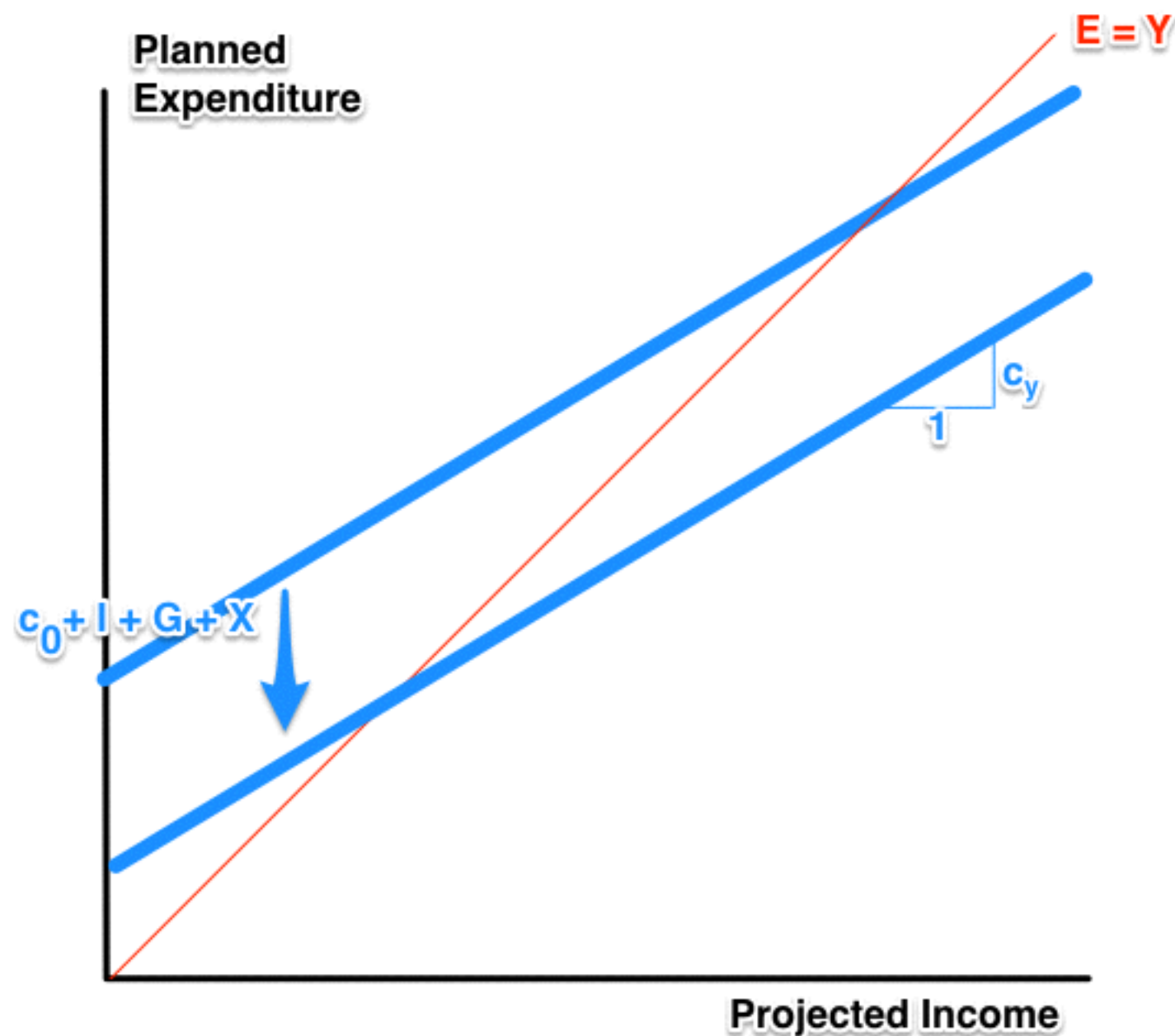
# Gentlebeings, to Your iClickers...

- Suppose we have:
  - $E = C + I + G + X$
  - $C = c_0 + c_y(Y - T)$ ;  $c_y = 0.75$
  - $c_0$  falls by  $\$1T$  while  $I, G, X, T$  remain unchanged
- What happens to the equilibrium level of  $Y$  at which  $Y = E$  (substitute any numbers in for  $I, G, X, T$ , and initial  $c_0$ . It doesn't matter)?
  - A. It falls by  $\$2T$
  - B. It falls by  $\$1T$
  - C. It falls by  $\$0.5T$
  - D. It falls by  $\$1.5T$
  - E. None of the above



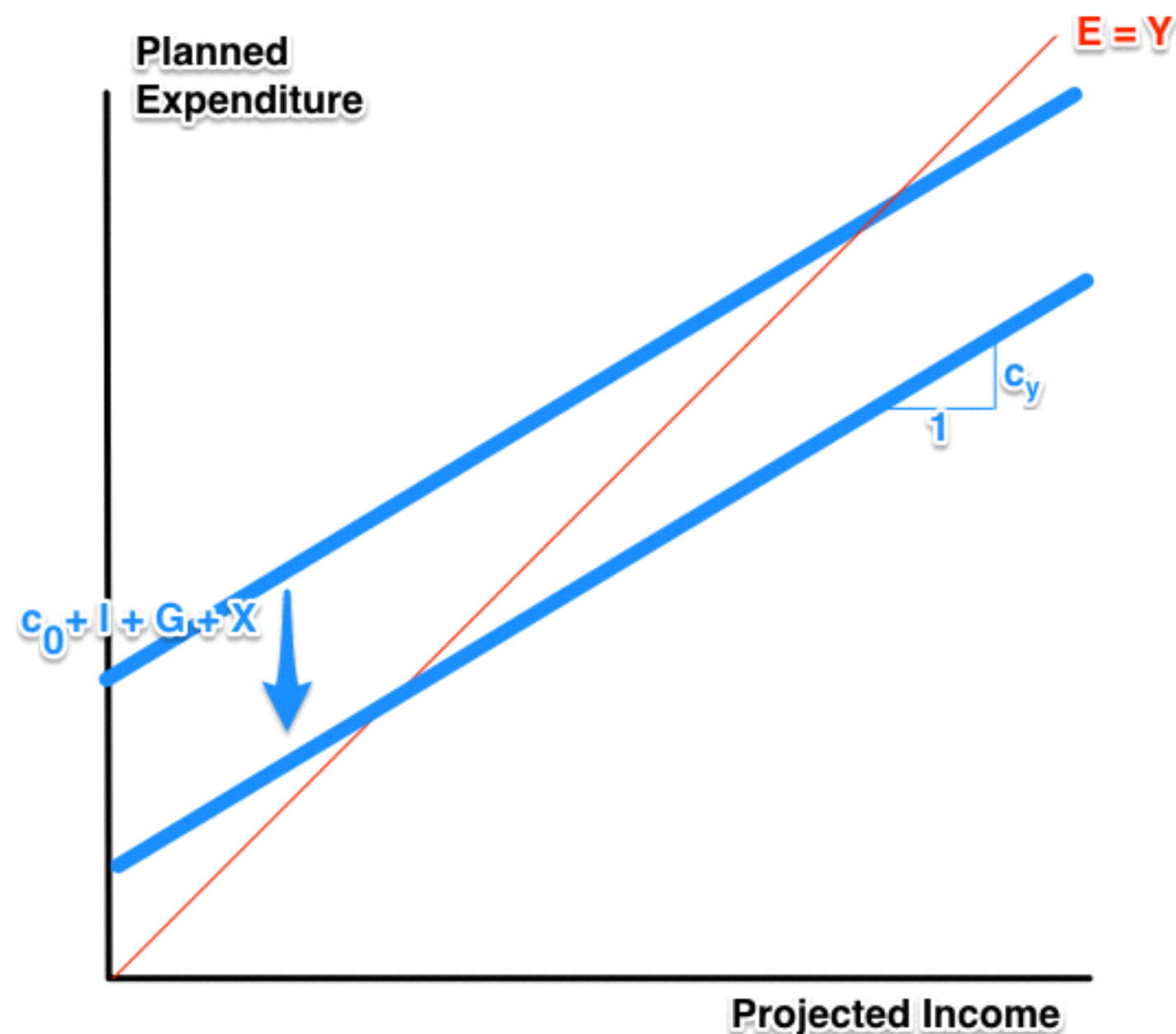
# Gentlebeings, to Your iClickers: Answer

- Suppose we have:
  - $E = C + I + G + X$
  - $C = c_0 + c_y(Y - T)$ ;  $c_y = 0.75$
  - $c_0$  falls by  $\$1T$  while  $I, G, X, T$  remain unchanged
- What happens to the equilibrium level of  $Y$  at which  $Y = E$  (substitute any numbers in for  $I, G, X, T$ , and initial  $c_0$ . It doesn't matter)?
  - A. It falls by  $\$2T$ . B. It falls by  $\$1T$ . C. It falls by  $\$0.5T$ . D. It falls by  $\$1.5T$ . E. None of the above
- **The answer I am looking for is E**
- **I get that equilibrium  $Y = E$  falls by  $\$4T$**



# Gentlebeings, to Your iClickers: Answer II

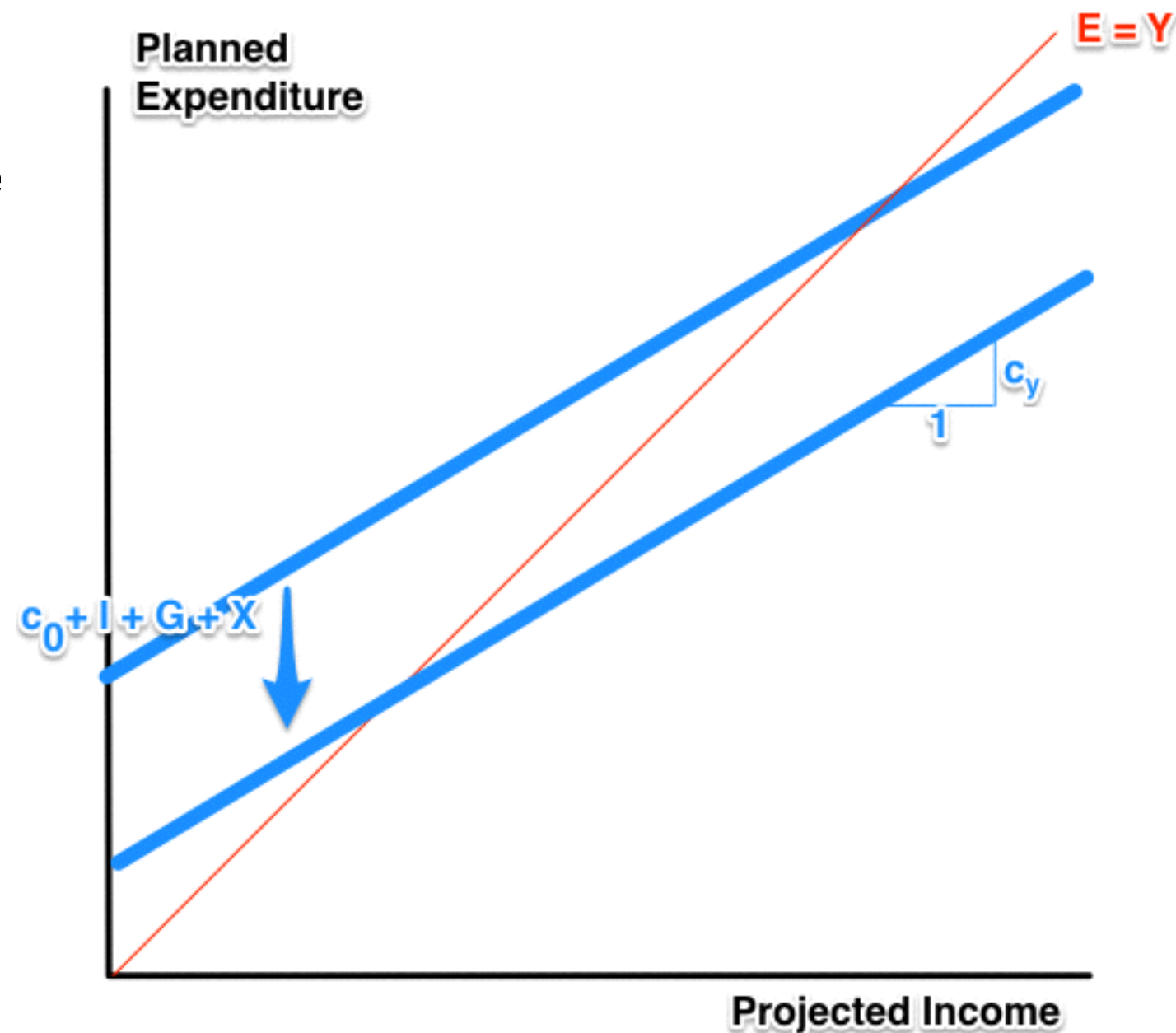
- Suppose we have:
  - $E = C + I + G + X$ ;  $C = c_0 + c_y(Y - T)$ ;  $c_y = 0.75$ ;  $c_0$  falls by  $\$1T$  while  $I, G, X, T$  remain unchanged
- What happens to the equilibrium level of  $Y$  at which  $Y = E$  (substitute any numbers in for  $I, G, X, T$ , and initial  $c_0$ . It doesn't matter)? A. It falls by  $\$2T$ . B. It falls by  $\$1T$ . C. It falls by  $\$0.5T$ . D. It falls by  $\$1.5T$ . E. None of the above
- **The answer I am looking for is E**
- **I get that equilibrium  $Y = E$  falls by  $\$4T$**
- **The fall in  $c_0$  creates a  $\$1T$  gap between planned expenditure  $E$  and projected income  $Y$ ...**
- **Each  $\$1T$  fall in projected income  $Y$  produces an  $\$0.75T$  fall in planned expenditure**
- **Each  $\$1T$  fall in projected income produces a  $\$0.25T$  reduction in desired money accumulation**
- **To balance  $E$  and  $Y$ —to reduce desired money accumulation to 0—requires a  $\$4T$  reduction in  $Y$**





# What Is the Pattern Here?: The Multiplier $\mu$

- Suppose we have:
  - $E = C + I + G + X$ ;  $C = c_0 + c_y(Y - T)$ ;  $c_0$  falls by  $\$1T$  while  $I, G, X, T$  remain unchanged
  - $c_y = 0.75$ ;  $\mu = 4$
  - $c_y = 0.5$ ;  $\mu = 2$
  - $c_y = 0.3333$ ;  $\mu = 1.5$
  - $c_y = 0$ ;  $\mu = 1$
  - **$\mu = 1/(1 - c_y)$**



# Boosting and Shrinking Planned Expenditure: The Money View

- The “money” view of a downturn:
  - Planned expenditure fell short of projected income because people wanted to build up their stocks of money...
  - And so incomes fell...
  - And incomes kept falling until people felt so poor that they forgot about wanting to build up their stocks of money...
  - And there the economy sits, with lots of unemployment and idle factories
- This suggests an obvious way to restore employment to full employment, reduce unemployment, and restore production to potential output
- PRINT SOME MONEY TO MAKE PEOPLE HAPPY WITH THE (NEW, LARGER) MONEY HOLDINGS THEY HAVE!

# Boosting and Shrinking Planned Expenditure: The Spending View

- People in aggregate want to spend less than their incomes: they want to “deleverage”
  - Planned expenditure falls short of projected income...
  - And so incomes fell...
  - And incomes kept falling until planned expenditure was once more equal to projected income...
  - And there the economy sits, with lots of unemployment and idle factories
- This suggests an obvious way to restore employment to full employment, reduce unemployment, and restore production to potential output
- **INDUCE SOMEBODY TO LEVERAGE UP SO THAT EACH GIVEN LEVEL OF INCOME IS ASSOCIATED WITH A HIGHER LEVEL OF PLANNED EXPENDITURE!**

# Money and Interest Rates

- Reconciling the “spending” and the “money” views?
- You cannot change people’s desires to build up or draw down their money holdings without also changing their planned expenditure...
- You cannot change people’s planned expenditure without also changing people’s desires to build up or draw down their money holdings...
- The Keynesian-Monetarist wars of the 1930s-1980s...

# Interest Rates and Spending

- $Y = \mu[c_0 + (G - c_y T) + (c_w W + I + X)]$
- All these last three terms depend on  $r$ :  $(c_w W + I + X)$ 
  - Lower  $r$ —print more money—and get more planned expenditure
  - Raise  $G$ —have the government spend more—and get more planned expenditure
  - Lower  $T$ —get households more disposable income—and get more planned expenditure
- $Y = \mu[c_0 + (G - c_y T) + (c_w W + I)(r) + X(\epsilon(r))]$
- $Y = \mu[c_0 + (G - c_y T) + (c_w W + I + X)(r)]$

# Interest Rates and Spending II

- $Y = \mu[c_0 + (G - c_y T) + (c_w W + I + X)(r)]$
- $r$ : the real interest rate:
  - $r = i$  (the current interest rate) +  $E(\Delta i)$  (expected change in interest rates) +  $\rho$  (the risk premium) -  $E(\pi)$  (expected inflation)
- Federal Reserve & financial markets determine  $r$

# Wealth and Interest Rates

- Stocks pay dividends  $D$ ; dividends  $D$  grow at rate  $g$
- Choice: (i) hold on to your stocks this year and collect dividends; (ii) sell your stocks and invest in risky bonds paying  $r$
- Options:
  - Hold stocks:  $D + W(1 + g)$
  - Invest in bonds:  $W(1 + r)$

# Ladies and Gentlemen, to Your iClickers

- What will financial markets do when faced with this choice: hold stocks and get  $D + W(1 + g)$  or invest in bonds and get  $W(1 + r)$ ?
  - A. Everyone will hold stocks, and so  $D + W(1+g) < W(1+r)$
  - B. Everyone will sell their stocks and buy bonds, and so  $D + W(1+g) > W(1+r)$
  - C. When it looks as though  $D + W(1+g) < W(1+r)$ , people will sell stocks and push stock prices down, and so  $D + W(1+g) = W(1+r)$
  - D. None of the above
  - E. You can't really say



# Ladies and Gentlemen, to Your iClickers: Answer

- What will financial markets do when faced with this choice: hold stocks and get  $D + W(1 + g)$  or invest in bonds and get  $W(1 + r)$ ?
  - A. Everyone will hold stocks, and so  $D + W(1+g) < W(1+r)$ . B. Everyone will sell their stocks and buy bonds, and so  $D + W(1+g) > W(1+r)$ . **C. When it looks as though  $D + W(1+g) < W(1+r)$ , people will sell stocks and push stock prices down, and so  $D + W(1+g) = W(1+r)$ .** D. None of the above. E. You can't really say
- **I am looking for (C). This is an *arbitrage* argument—that if  $D + W(1+g) \neq W(1+r)$  there is easy money to be made, at least if you have nerves of steel**

# Ladies and Gentlemen, to Your iClickers

- If  $D + W(1 + g) = W(1 + r)$ , then:
  - A.  $W = D/r$
  - B.  $W = D + gW - rW$
  - C.  $W = D/(r - g)$
  - D.  $W = D(r - g)$
  - E. None of the above

# Ladies and Gentlemen, to Your iClickers: Answer

- If  $D + W(1 + g) = W(1 + r)$ , then:
  - A.  $W = D/r$ . B.  $W = D + gW - rW$ . **C.  $W = D/(r - g)$ .**  
D.  $W = D(r - g)$ . E. None of the above
- **I am looking for (C). This is a present-value relationship...**
- **MFE: arbitrage, present value, option value...**

# Ladies and Gentlemen, to Your iClickers: Answer II

- If  $D + W(1 + g) = W(1 + r)$ , then:
  - A.  $W = D/r$ . B.  $W = D + gW - rW$ . **C.  $W = D/(r - g)$ .**  
D.  $W = D(r - g)$ . E. None of the above
- **$W = D/(r-g)$**
- **$W = [D/r][1/(1-(g/r))]$**

# Ladies and Gentlemen, to Your iClickers: Answer III

- If  $D + W(1 + g) = W(1 + r)$ , then:
  - A.  $W = D/r$ . B.  $W = D + gW - rW$ . **C.  $W = D/(r - g)$** . D.  $W = D(r - g)$ . E. None of the above
- **$W = D/(r-g)$**
- **$W = [D/r][1/(1-(g/r))]$**
- $1/(1-x)$
- $1 + x/(1-x)$
- $1 + x + x^2/(1-x)$
- ...
- $1 + x + x^2 + x^3 + x^4 + x^5 + x^6 + x^7 + x^8 + x^9 + \dots$

# Ladies and Gentlemen, to Your iClickers: Answer IV

- If  $D + W(1 + g) = W(1 + r)$ , then:
  - A.  $W = D/r$ . B.  $W = D + gW - rW$ . **C.  $W = D/(r - g)$ .**  
D.  $W = D(r - g)$ . E. None of the above
- **$W = D/(r-g)$**
- **$W = [D/r][1/(1-(g/r))]$**
- **$W = [D/r][1 + g/r] = D/r + Dg/r^2$**

# Foreign-Exchange Market

- In foreign currency markets:
  - Borrow to invest in dollars and earn  $r - r^*$  per unit invested over the next year
  - Run the risk that there is a chance  $\phi$  that the dollar will fall back to its fundamental value in the next year and you will lose  $\varepsilon - \varepsilon^*$
  - Another arbitrage relationship:
    - Stay where you are (and run no risks but earn no premium returns)
    - Or have expected value:  $(r - r^*) - \phi(\varepsilon - \varepsilon^*)$

# Ladies and Gentlemen, to Your iClickers

- In foreign currency markets: (i) Stay where you are (and run no risks but earn no premium returns). (ii) Have expected value:  $(r - r^*) - \phi(\varepsilon - \varepsilon^*)$ . What will  $\varepsilon$  be?
  - A.  $\varepsilon = \varepsilon^* - (r - r^*)\phi$
  - B.  $\varepsilon = \varepsilon^* + (r - r^*)/\phi$
  - C.  $\varepsilon = \varepsilon^* - (r - r^*)/\phi$
  - D. None of the above
  - E. You cannot determine it from the information given



# Ladies and Gentlemen, to Your iClickers: Answer

- In foreign currency markets: (i) Stay where you are (and run no risks but earn no premium returns). (ii) Have expected value:  $(r - r^*) - \phi(\varepsilon - \varepsilon^*)$ . What will  $\varepsilon$  be?
  - A.  $\varepsilon = \varepsilon^* - (r - r^*)\phi$ . **B.  $\varepsilon = \varepsilon^* + (r - r^*)/\phi$ .** C.  $\varepsilon = \varepsilon^* - (r - r^*)/\phi$ . D. None of the above. E. You cannot determine it from the information given.
- **I am looking for (B)...**

# Investment and Interest Rates

- Build a factory at cost  $K$  and earn profits  $Pr$
- Choice: (i) Build a factory this year; (ii) Keep hold of your cash and invest in risky bonds paying  $r$
- Options:
  - Build a factory:  $Pr + K$
  - Invest in bonds:  $K(1 + r)$

# Investment and Interest Rates II

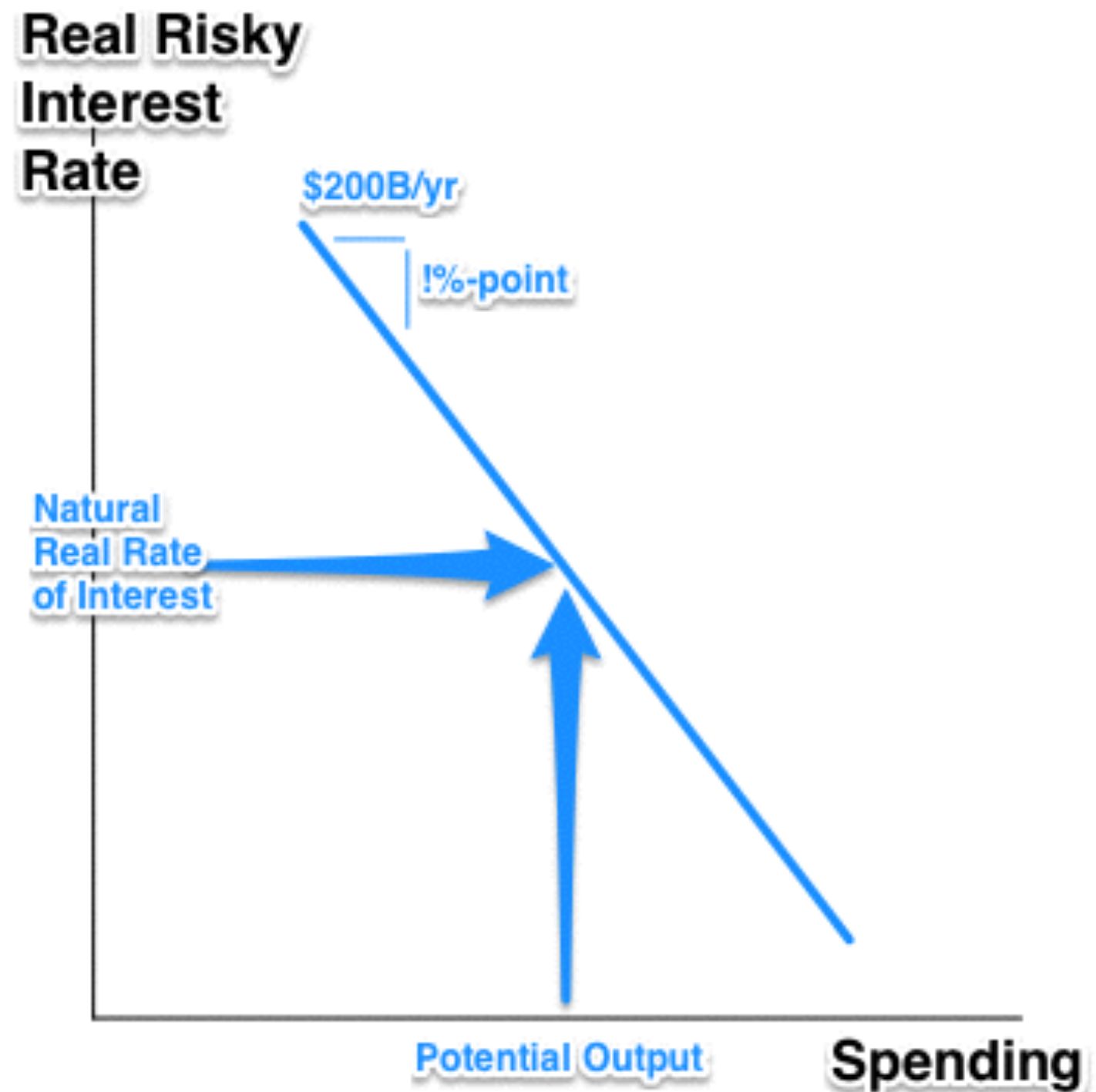
- What will business investment committees do when faced with this choice: build a factory and get  $Pr + K$  or invest in bonds and get  $K(1 + r)$ ?
- Another arbitrage argument:
  - Factory is better if  $Pr/K > r$
- Many different factory projects. The lower is  $r$ , the more of them look worthwhile

# Interest Rates, Wealth, Exchange Rates, Exports, Business Investment and Spending

- Rule of thumb: in the U.S. today, boost the (risky) real interest rate  $r$  by 1%-point...
  - And reduce exports by \$50 billion/year
  - And reduce household consumption spending by \$50 billion/year
  - And reduce business investment spending by \$200 billion/year

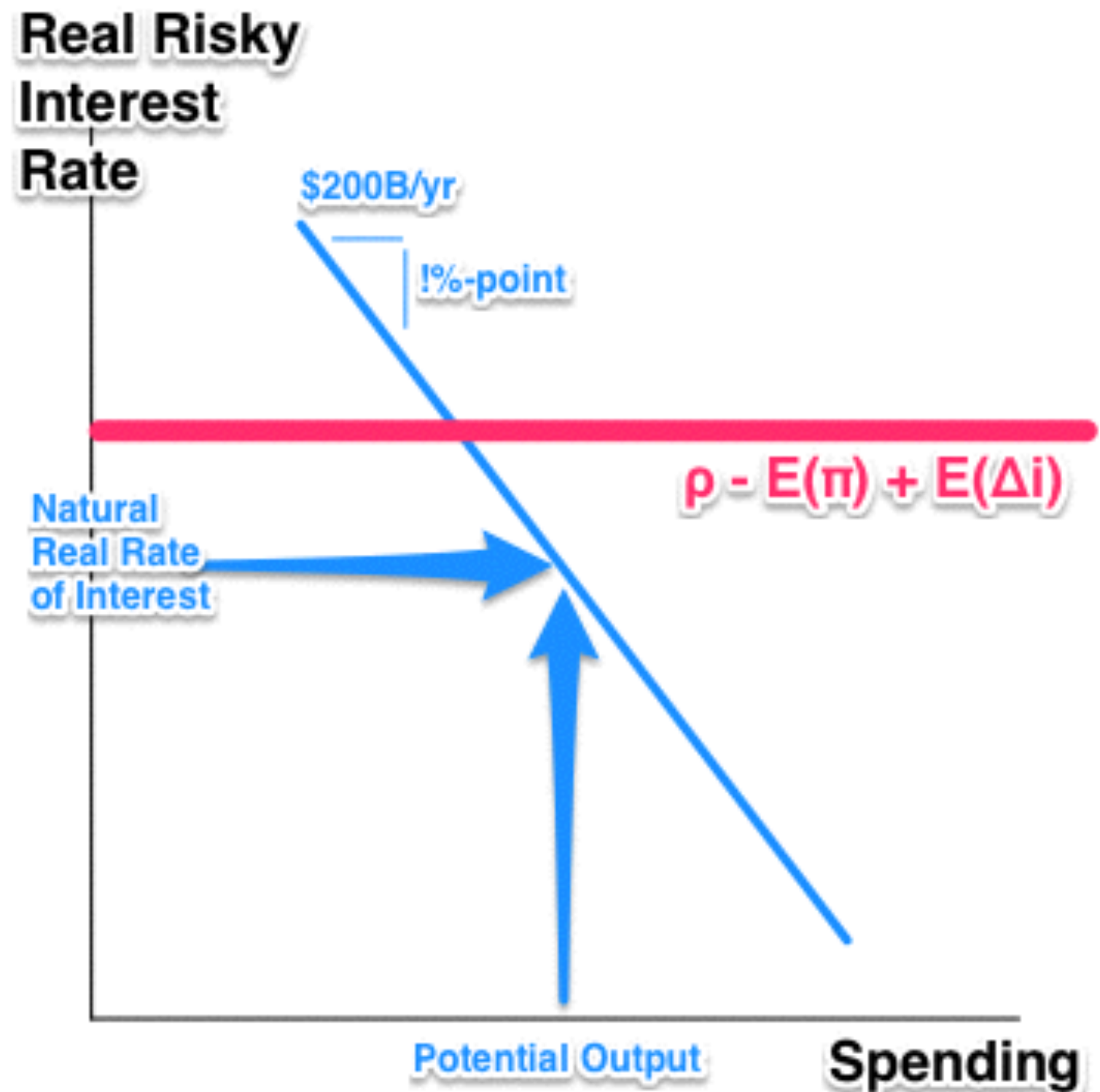
# Interest Rates, Wealth, Exchange Rates, Exports, Business Investment and Spending

- The “Investment-Savings” Curve
  - Slope =  $-\$200\text{B}/\text{yr}/\%-\text{pt}$
  - The “natural real” risky rate of interest
    - Full employment/potential output
    - Quantity of money at which people are happy holding the cash there is at full employment
    - Spending = Income at full employment



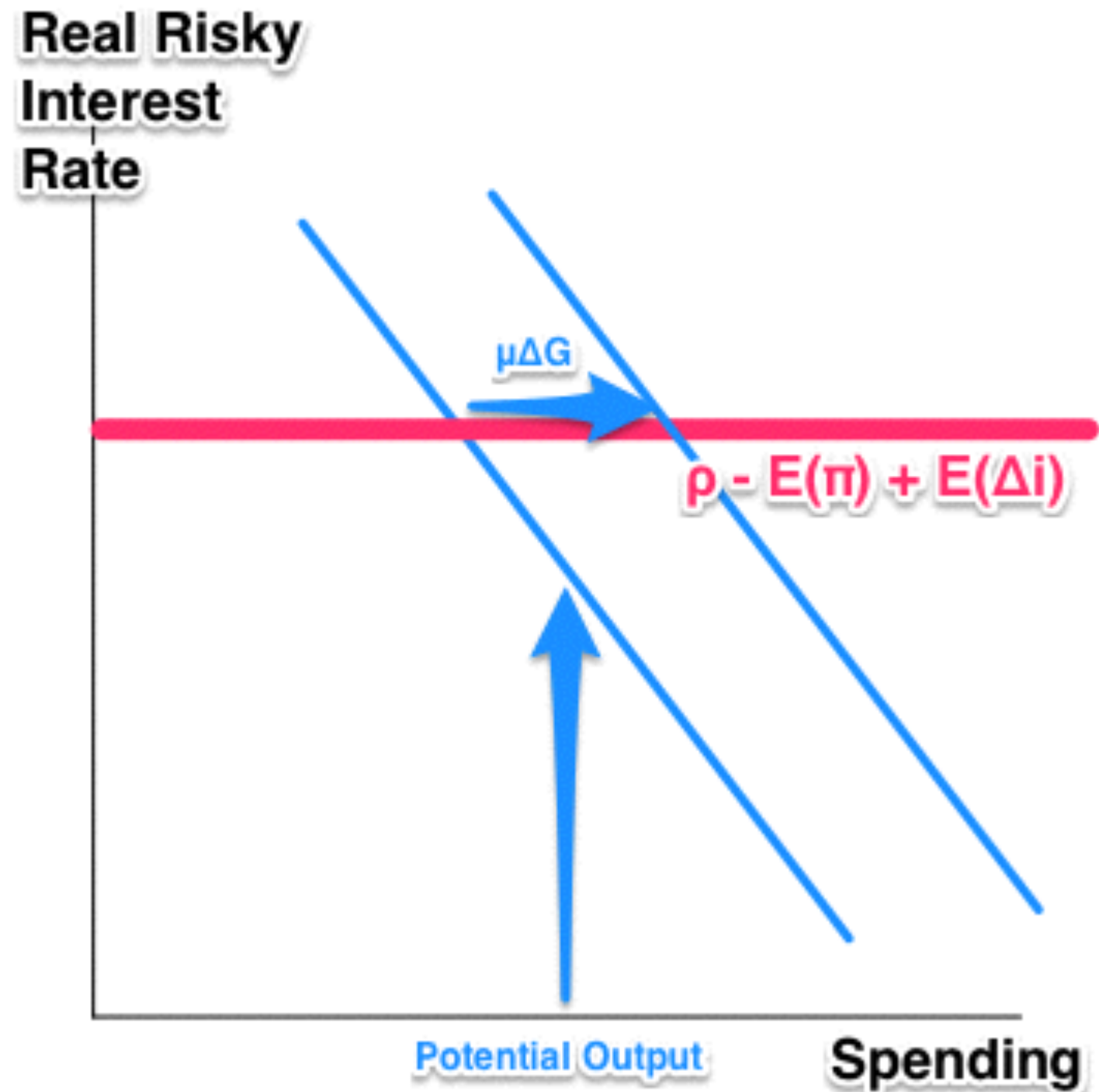
# Liquidity Trap

- The “Investment-Savings” Curve gone wrong:
- The Federal Reserve finds that it cannot push the real risky interest rate  $r$  low enough to generate full employment



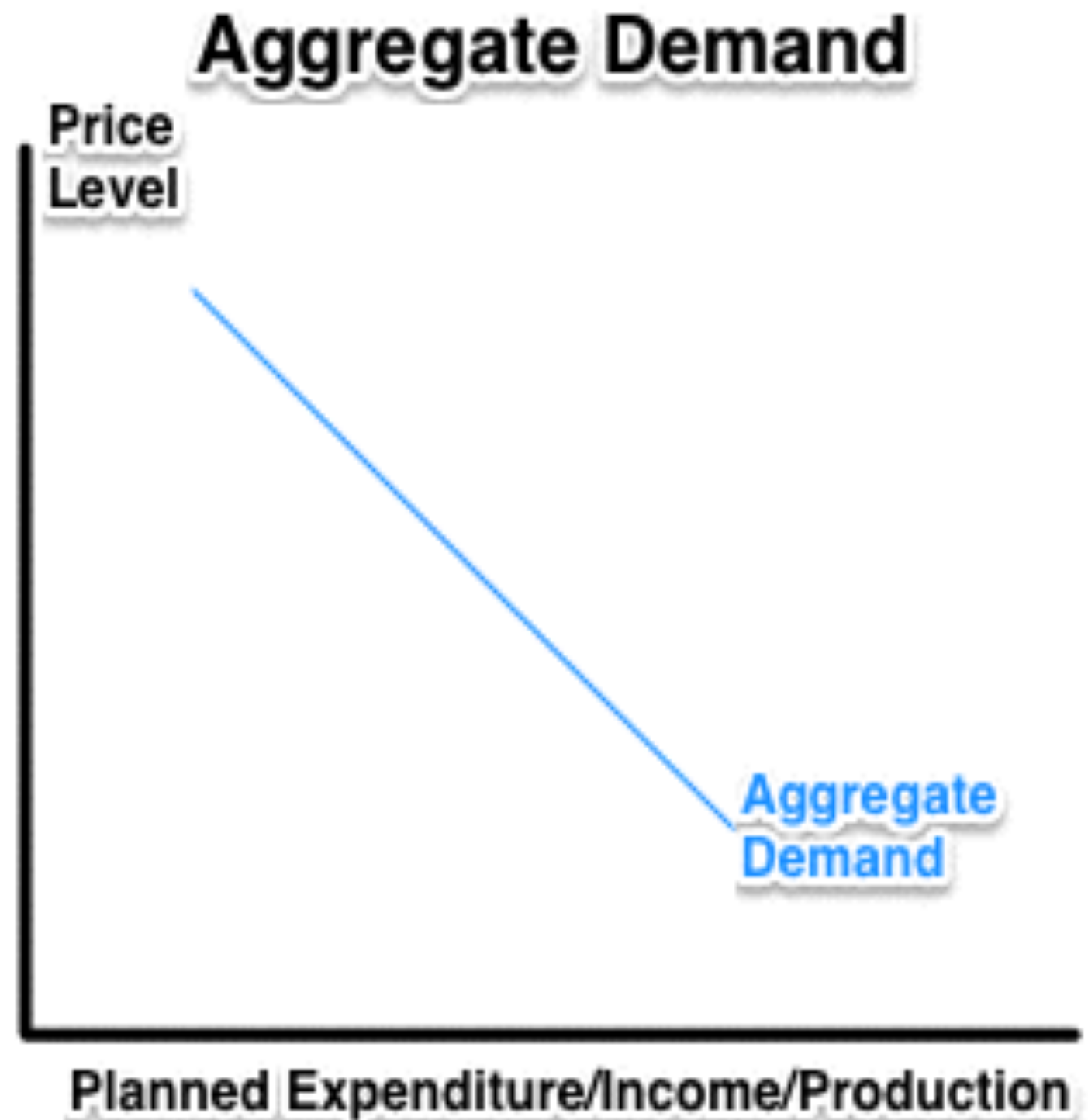
# But in a Liquidity Trap You Could Still Boost G

- The “Investment-Savings” Curve gone wrong:
- Monetary policy is ineffective, but not so for fiscal policy
- Or you could find some way to lower the interest rate floor...



# Aggregate Demand

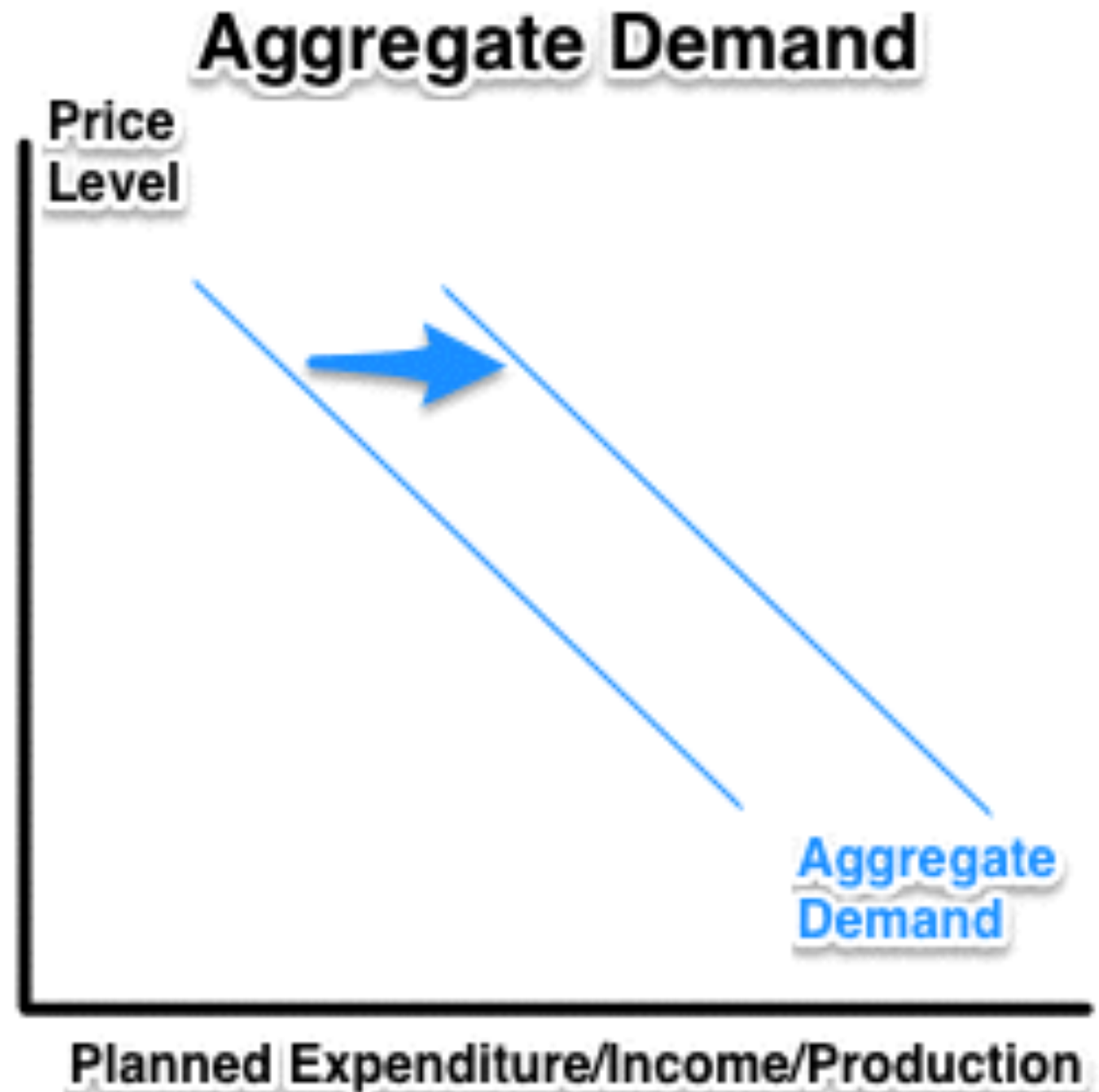
- The economy in macroeconomic equilibrium with  $E = Y$
- Your spending buys more stuff...





# What Moves Output?

- The economy in equilibrium:
  - $E = \mu[c_0 + (G - c_y T) + (c_w W + I + X)(r)]$
- Shifting the aggregate demand curve out:
  - monetary policy that reduces  $r$
  - Fiscal policy that increases  $G$ /cuts  $T$
  - Changes in private-sector spending propensities
- Shifting the aggregate demand curve in...



# What Moves Output? II

- Movements along the aggregate demand curve
- Supply shocks

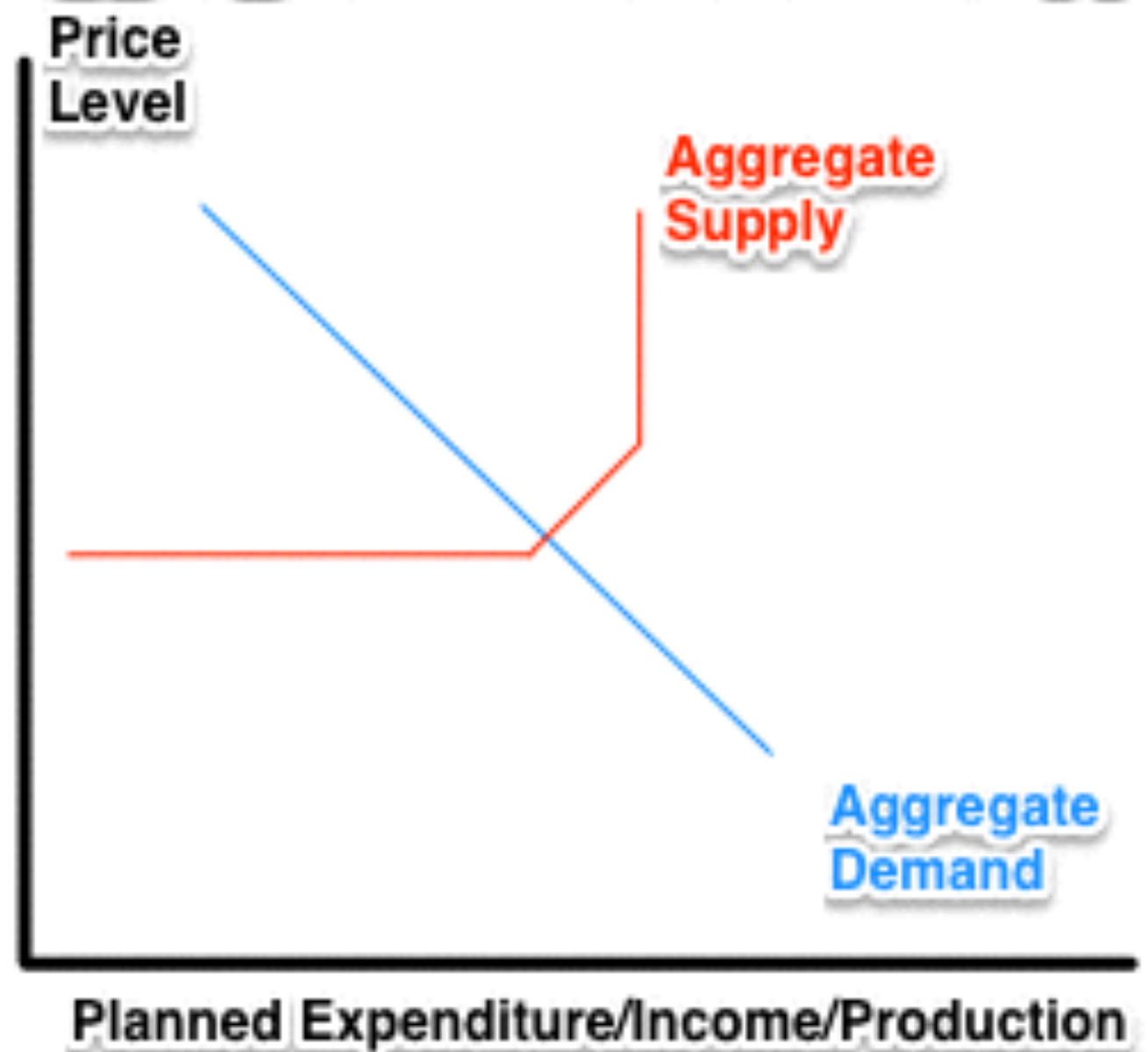
## Aggregate Demand and Supply



# Our Aggregate Supply Curve

- Three regions:
  - A long, flat region—people really do not like their wages cut
  - An upward-sloping region
  - And a region in which the economy is already working flat-out

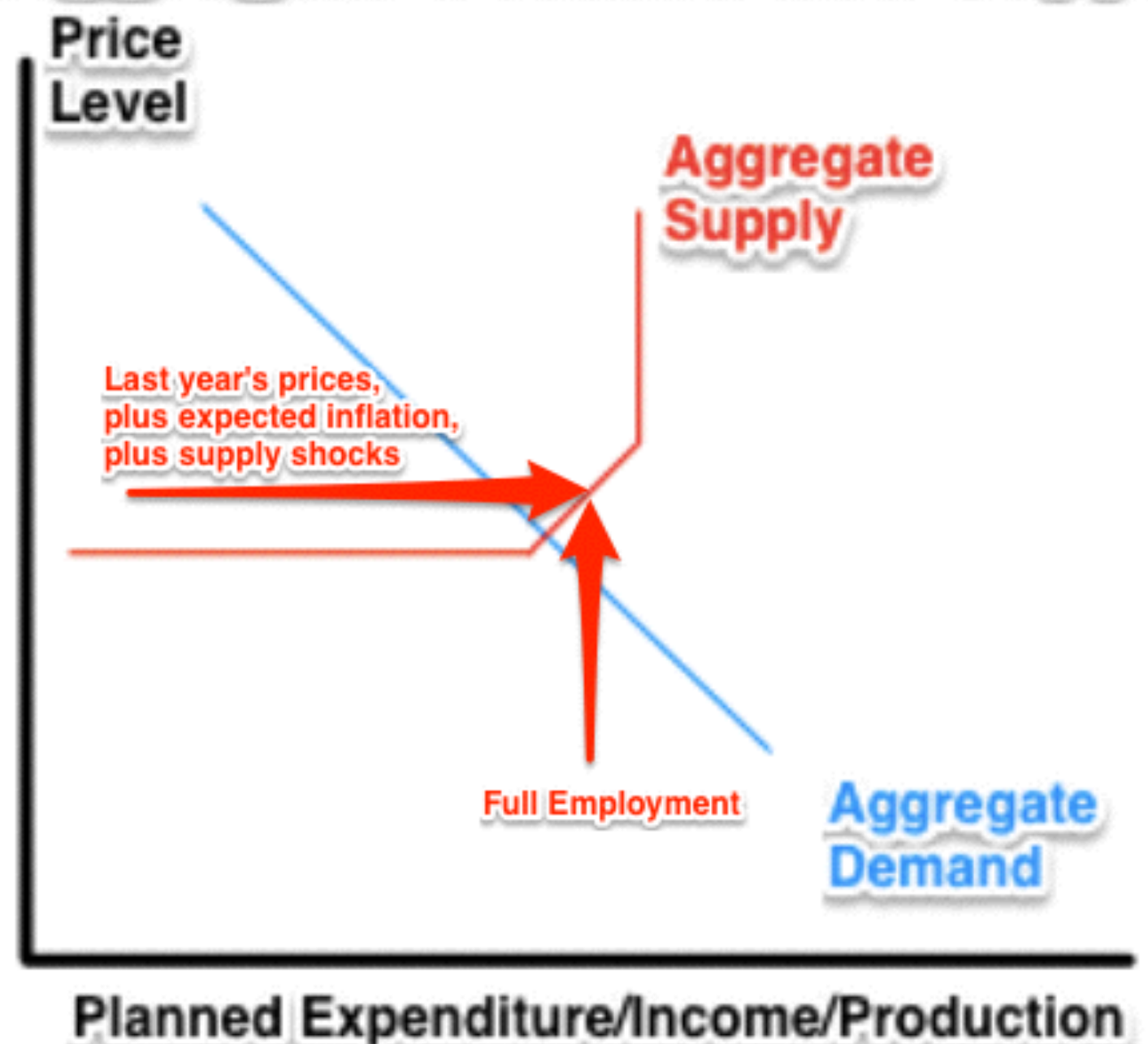
## Aggregate Demand and Supply



# Our Aggregate Supply Curve II

- Where is the aggregate supply curve?
- Full employment
- Last year's prices
- Expected inflation

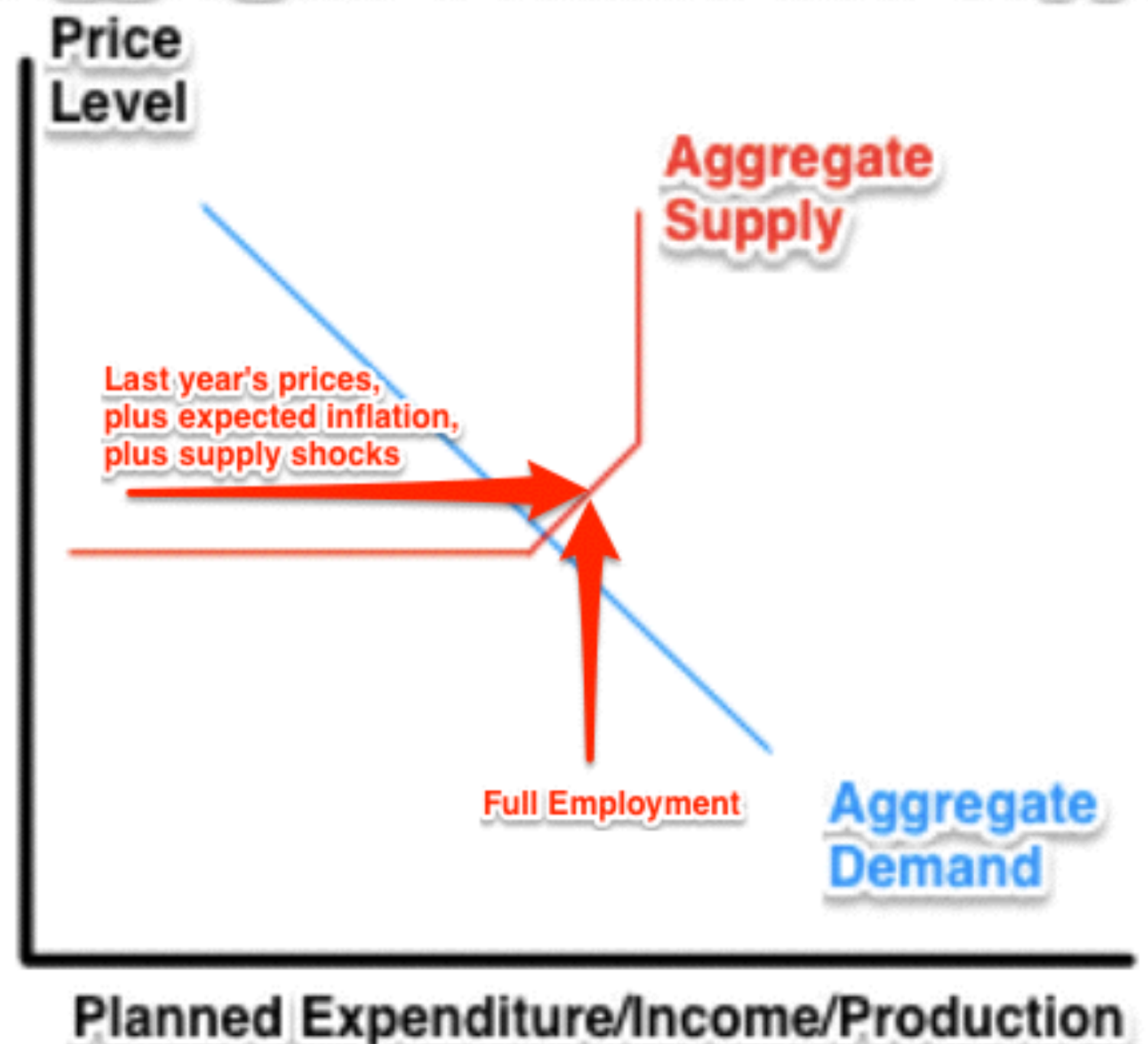
## Aggregate Demand and Supply



# Our Aggregate Supply Curve III

- Where is the aggregate supply curve?
- Full employment
- Last year's prices
- Expected inflation

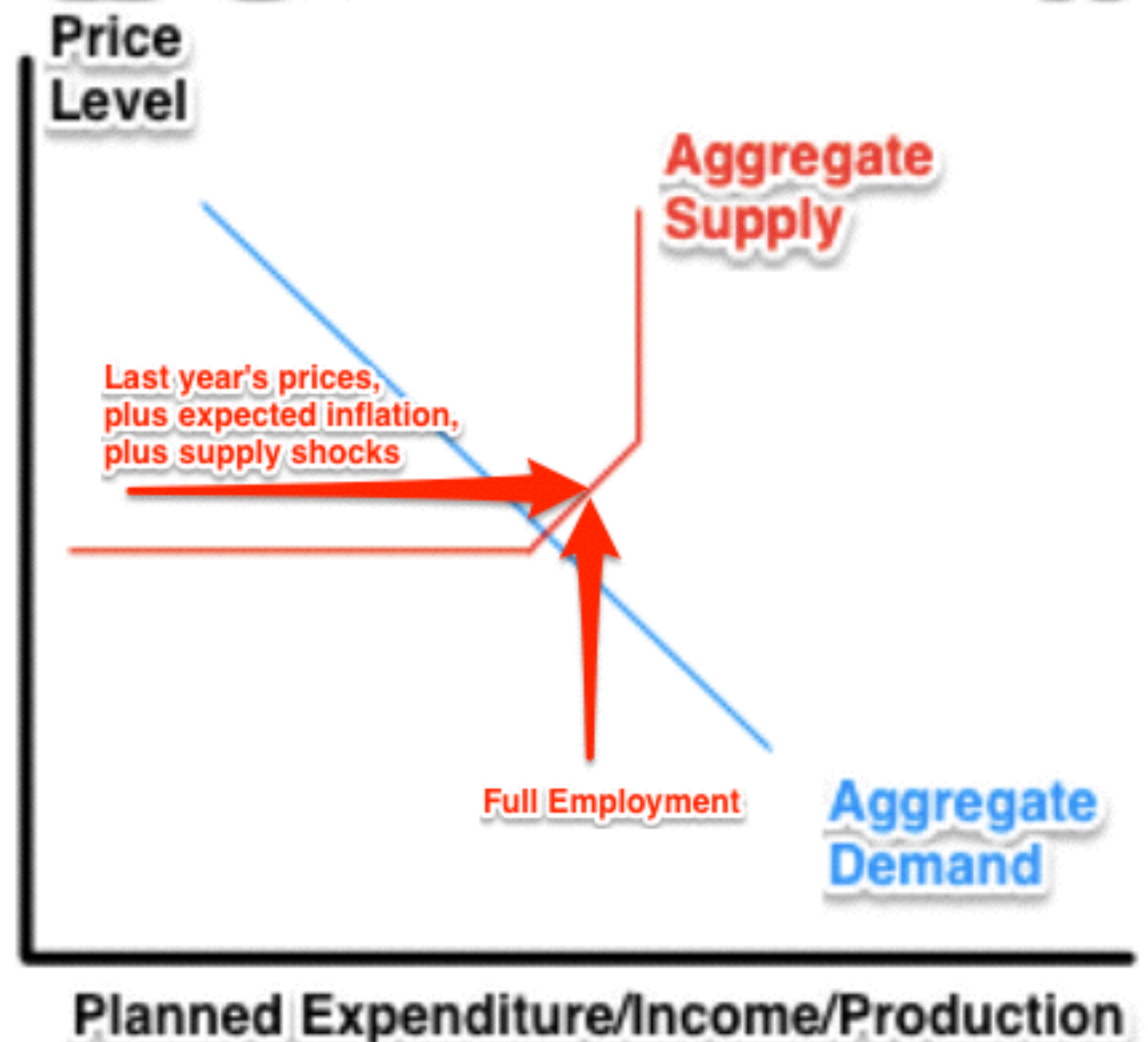
## Aggregate Demand and Supply



# The Evolution of Aggregate Supply

- Start from last year's situation...

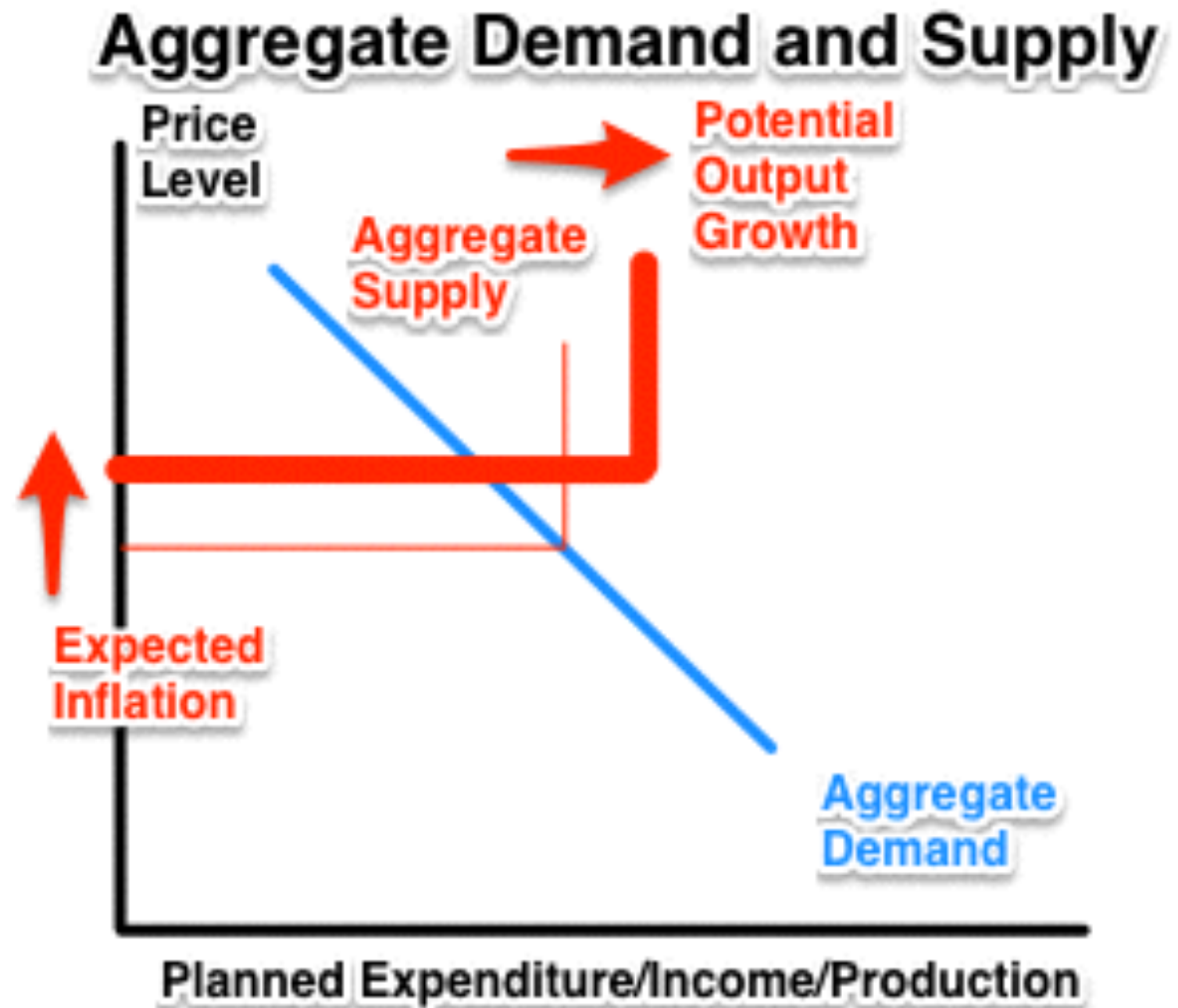
## Aggregate Demand and Supply





# The Evolution of Aggregate Supply II

- Start from last year's situation...
- Add on:
  - Expected inflation
  - Supply shocks (if any)
  - Growth in potential output



# Determinants of Shifting Aggregate Supply

- Where do “supply shocks” come from?
- What determines expected inflation?
- What determines the growth of potential output?

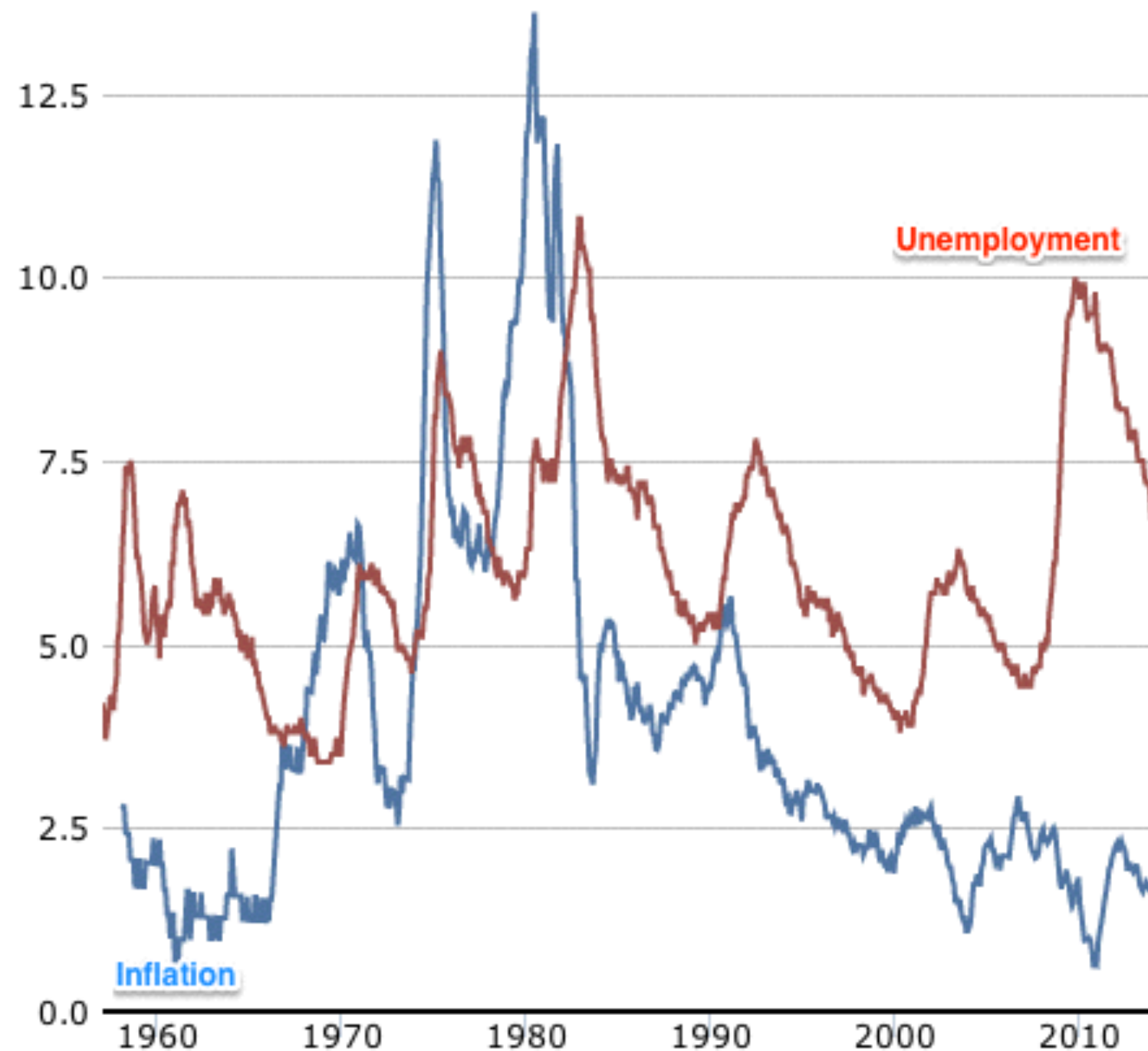


# Determinants of Shifting Aggregate Supply II

- Where do “supply shocks” come from?
  - Middle-Eastern wars, mostly
- What determines expected inflation?
  - Static
  - Adaptive
  - “Rational”
- What determines the growth of potential output?
  - Investment
  - Technological progress
  - Other shifts in economic efficiency

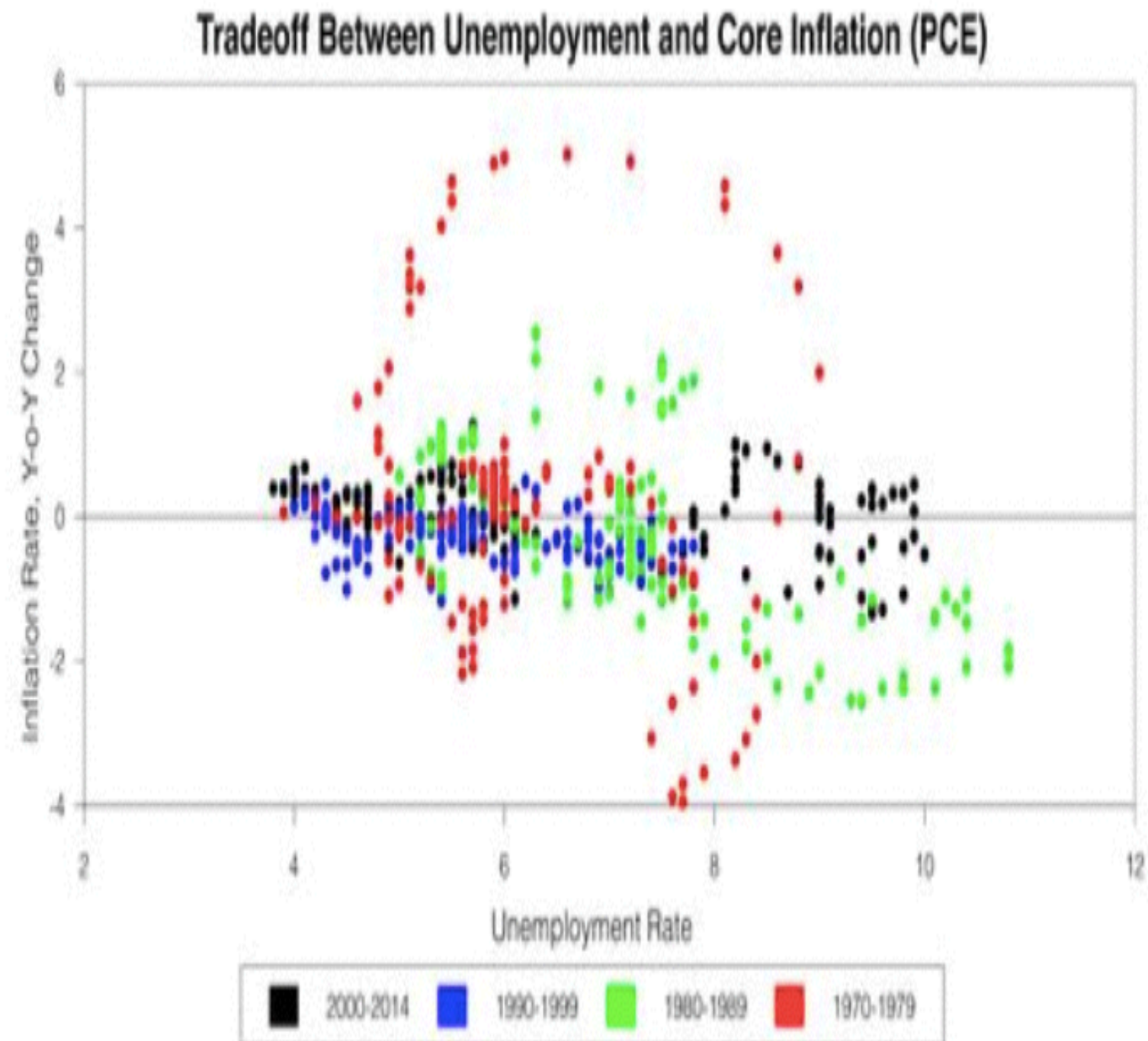
# The Phillips Curve

- When unemployment is high AD is to the left—and we should see inflation less than expected inflation plus supply shocks
- When unemployment is low AD is to the right—and we should see inflation less than expected inflation plus supply shocks



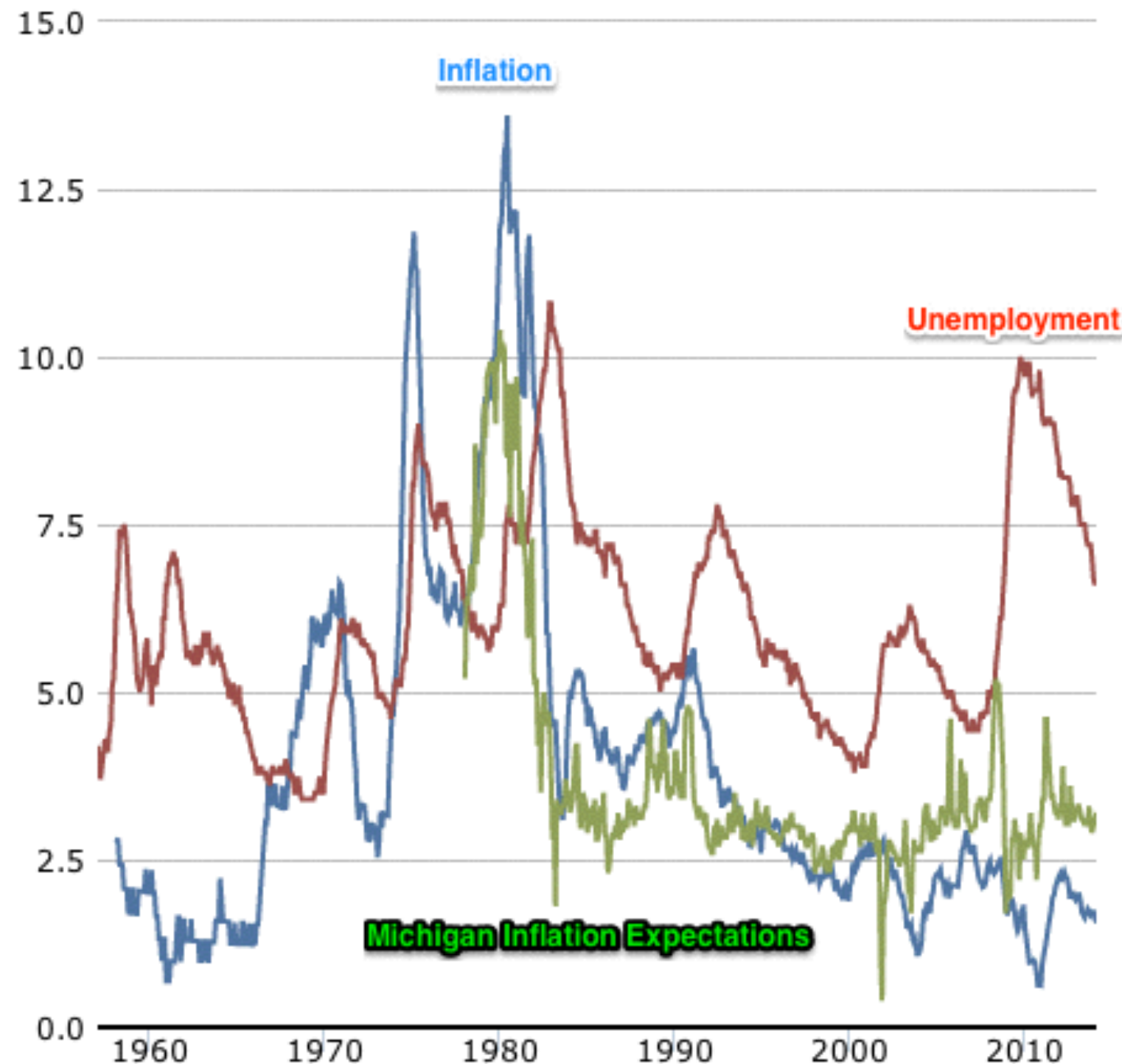
# The Phillips Curve II

- Since 2000 (black) there has been very little change in inflation
- In the 1990s periods of unemployment  $< 5\%$  see inflation creep up; periods of unemployment  $> 7\%$  see inflation ebb
- In the 1980s (green) we see substantial deceleration of inflation when unemployment  $> 7\%$
- The 1970s (red) are all over the place



# The Phillips Curve III

- What determines inflation “expectations”?
  - What’s just happened to gasoline prices
  - Higher-than-expected inflation raises expectations
  - Falling inflation/high unemployment tends to lower them...



# Okun's Law

- Production (relative to the full-employment “potential output” level)
- Unemployment (relative to the natural rate)
- A 2-to-1 relationship

